

Automated Verification of RPC Stub Code

Matthew Fernandez, June Andronick, Gerwin Klein, Ihor Kuz

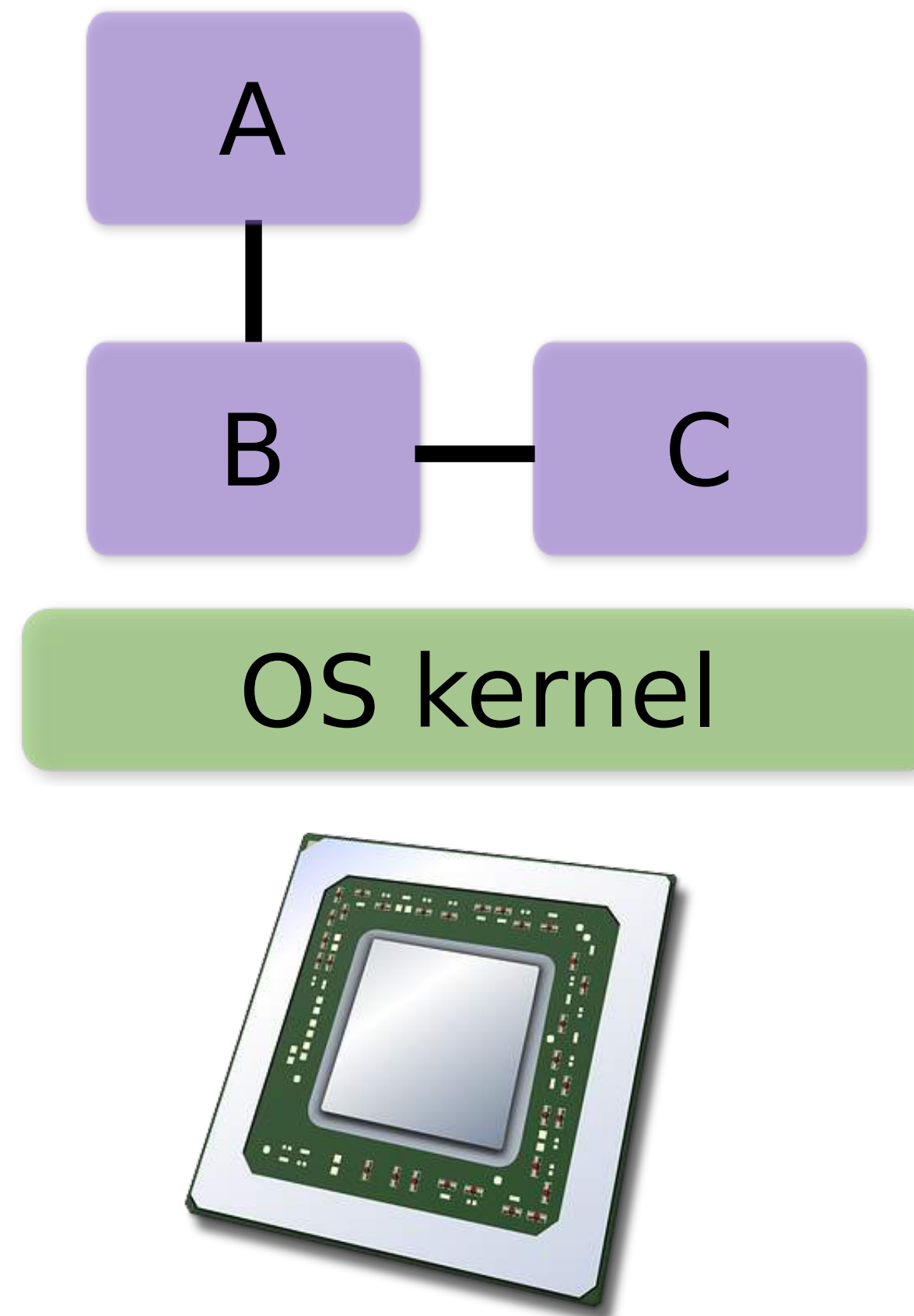
FM, June 2015

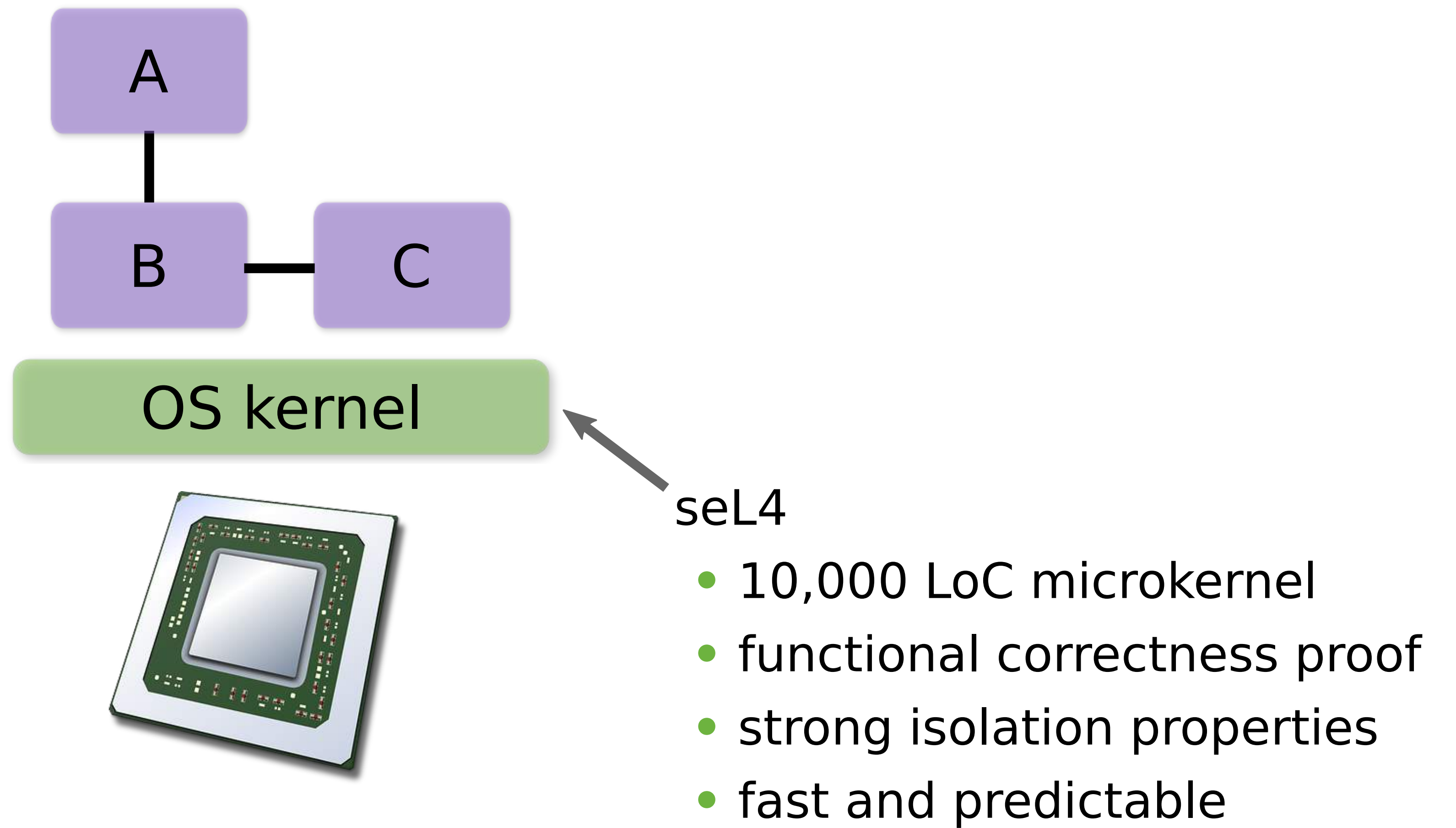


Australian Government

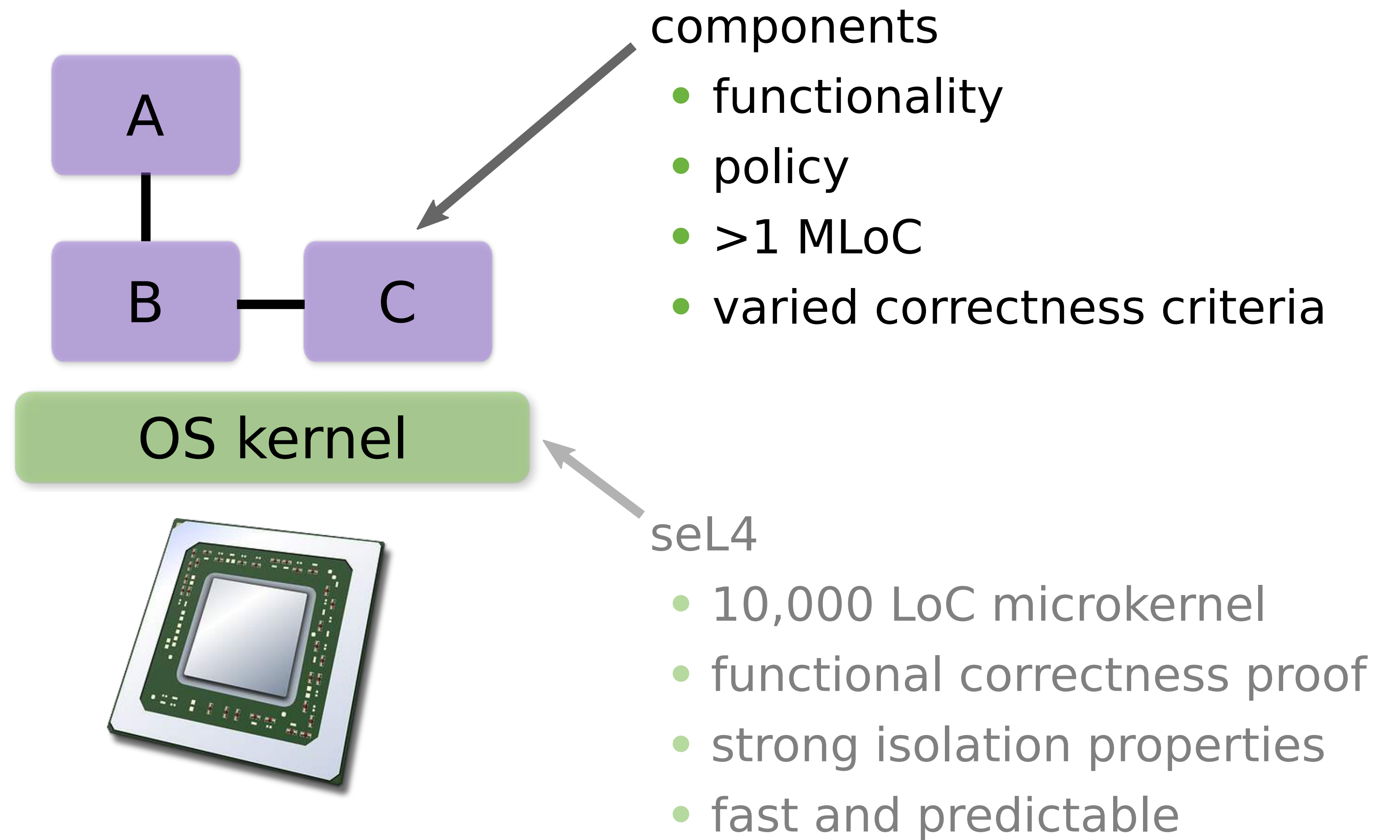


High Assurance Component-based Software

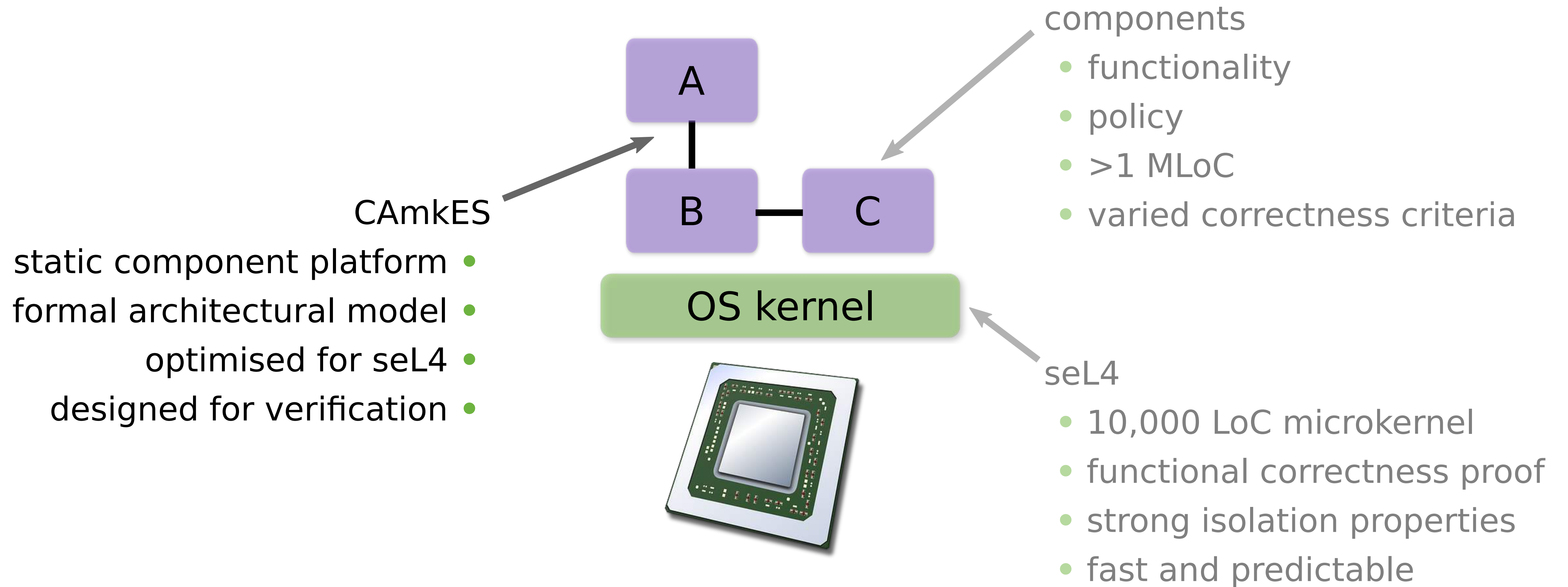




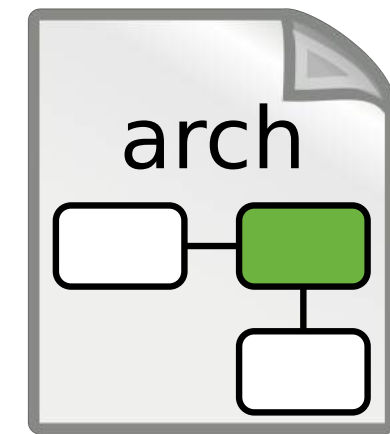
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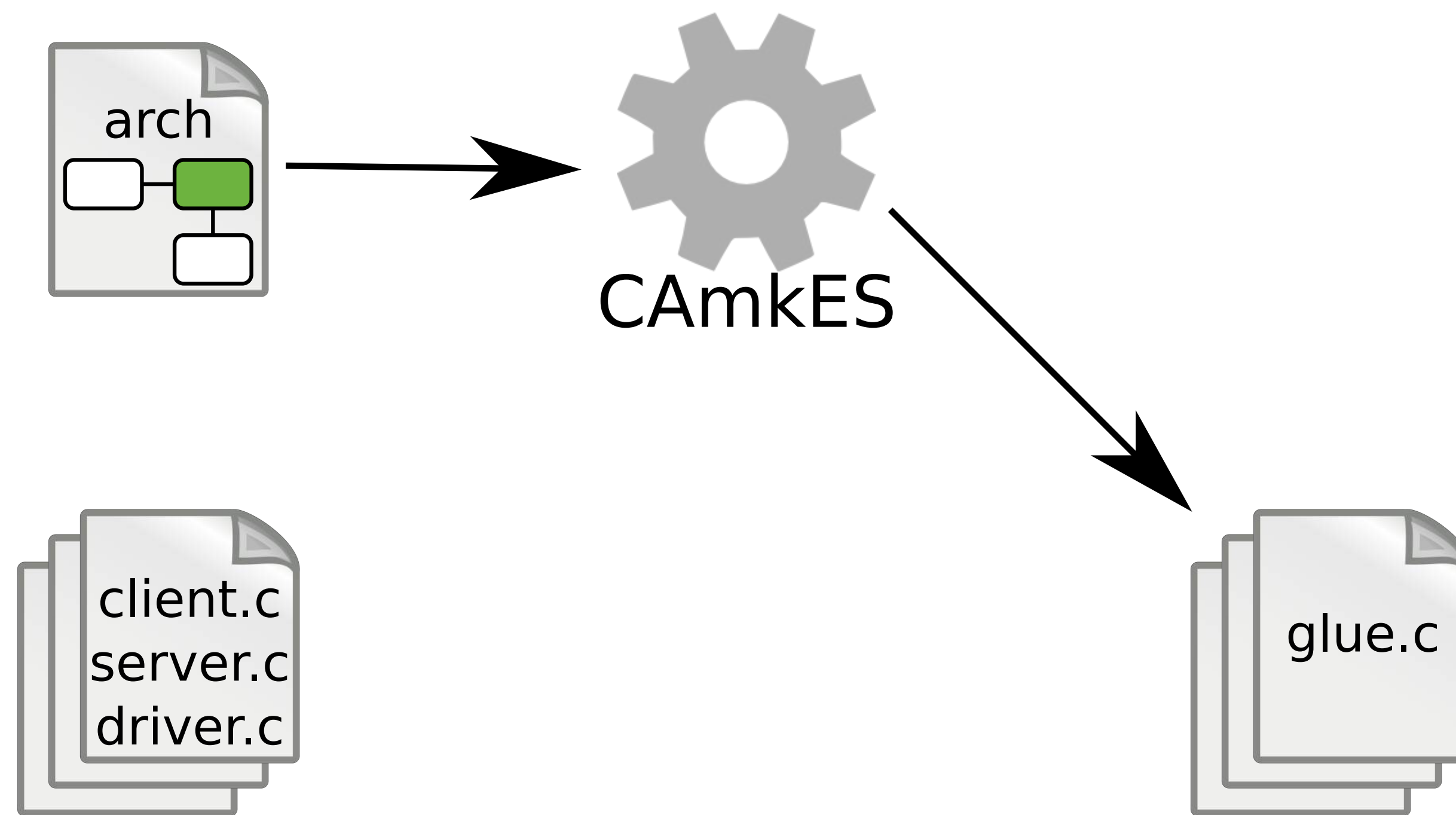
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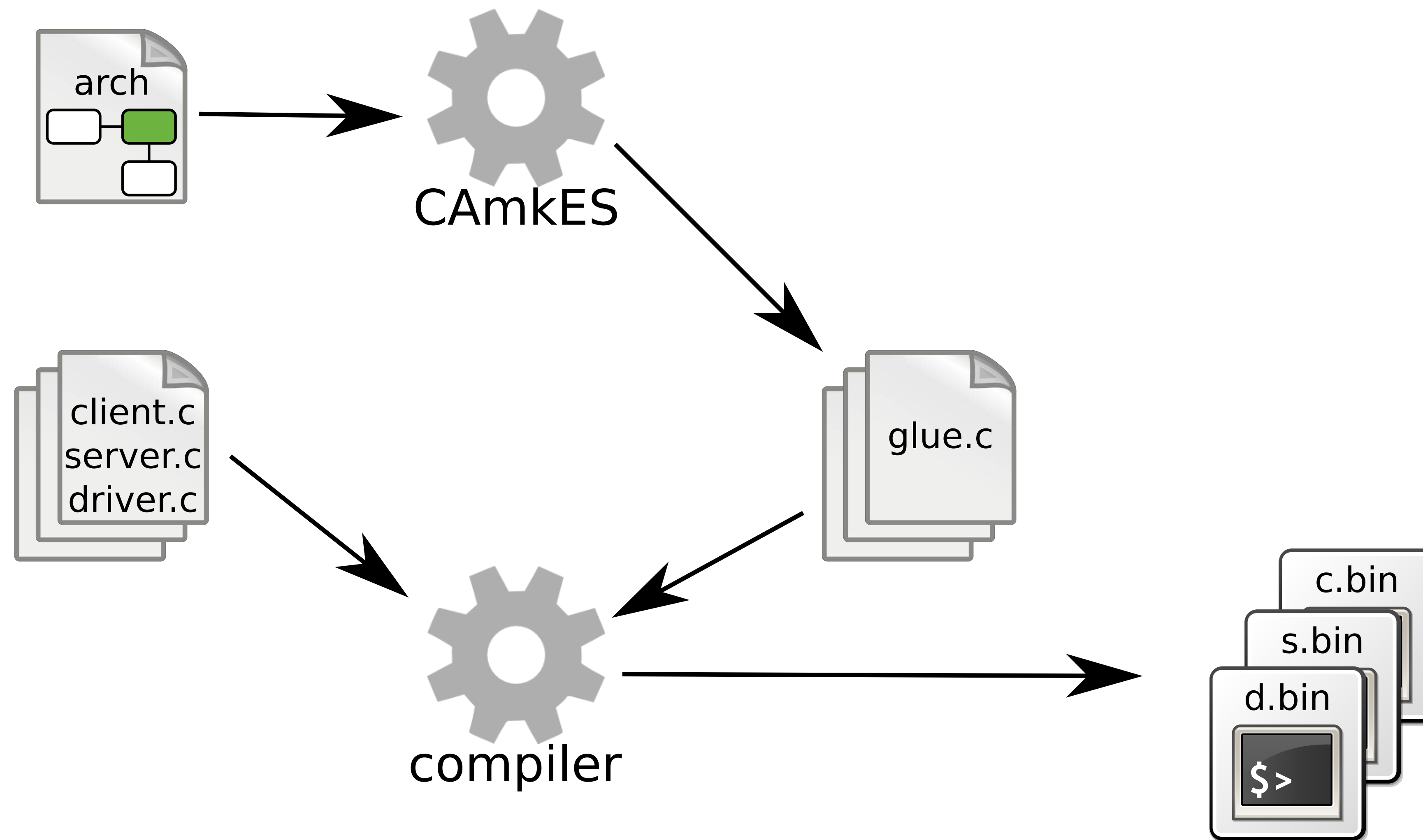
Component Compilation



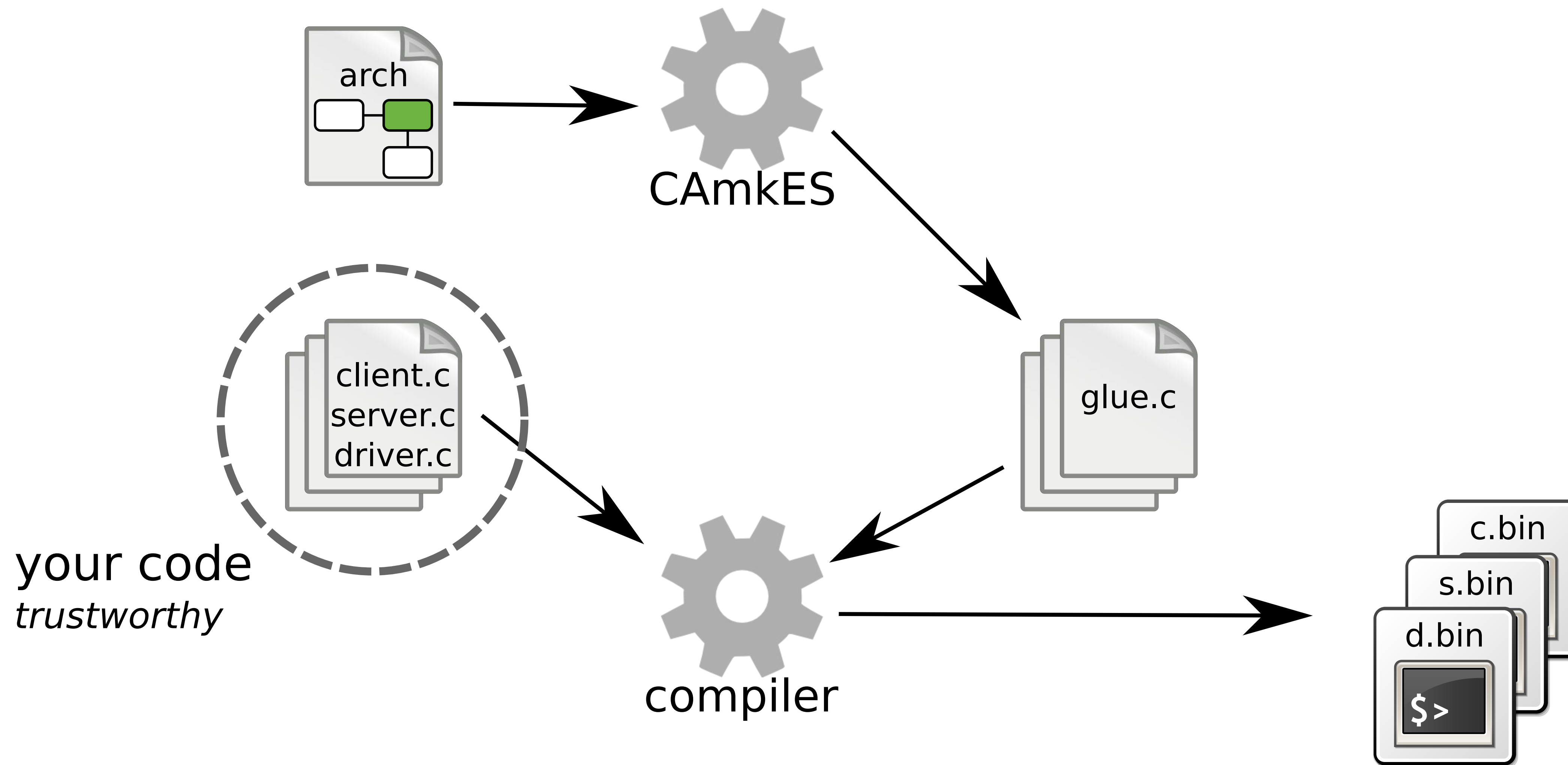
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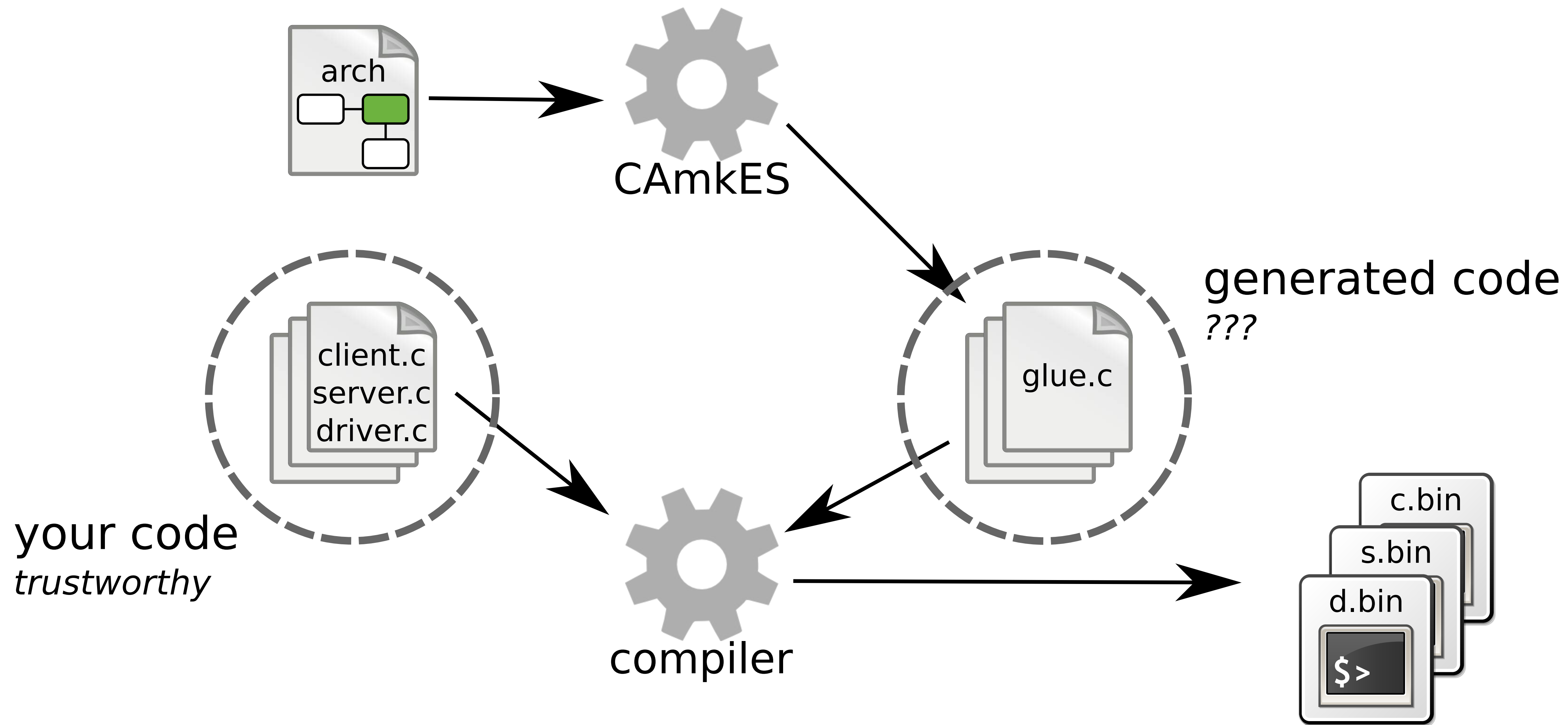
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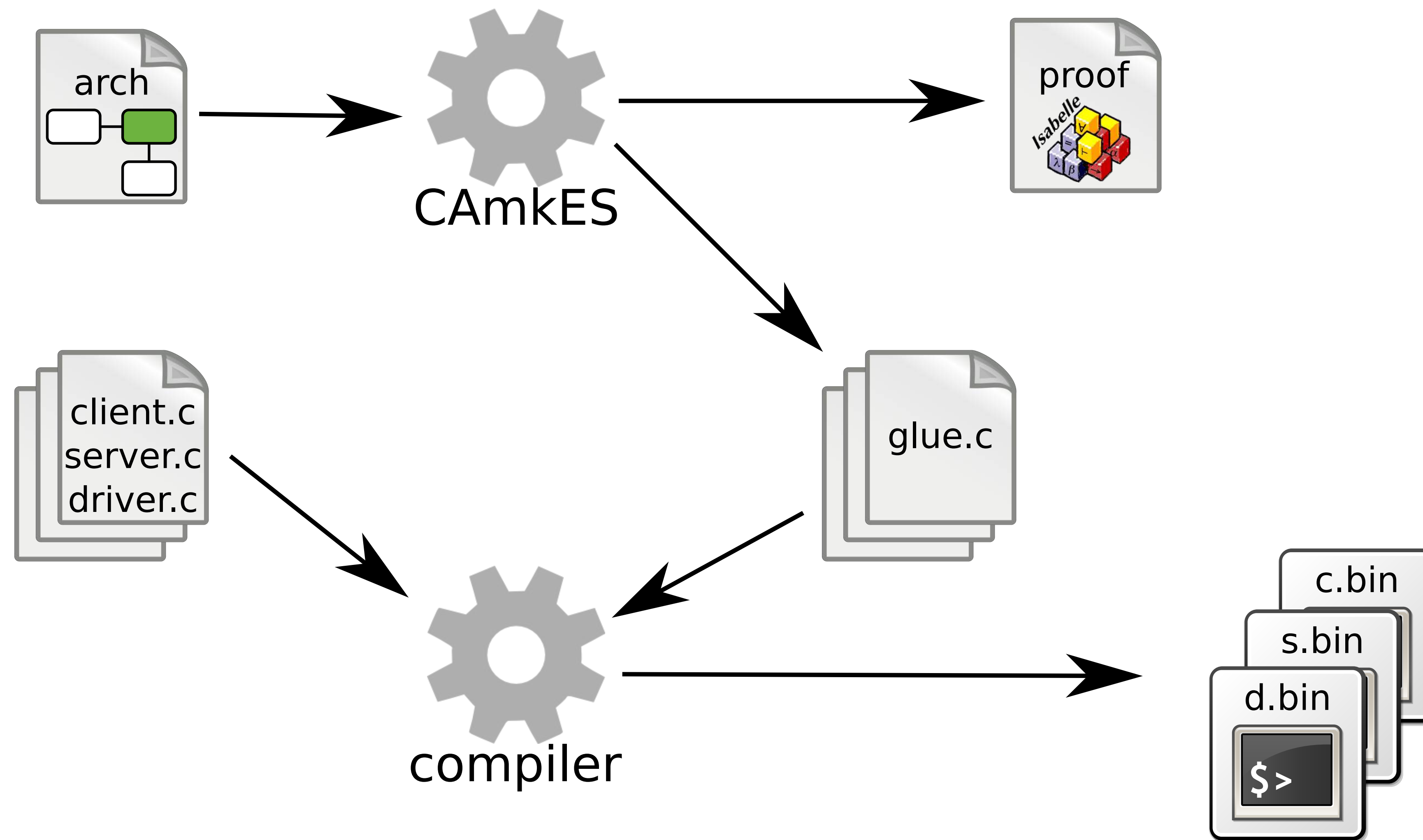
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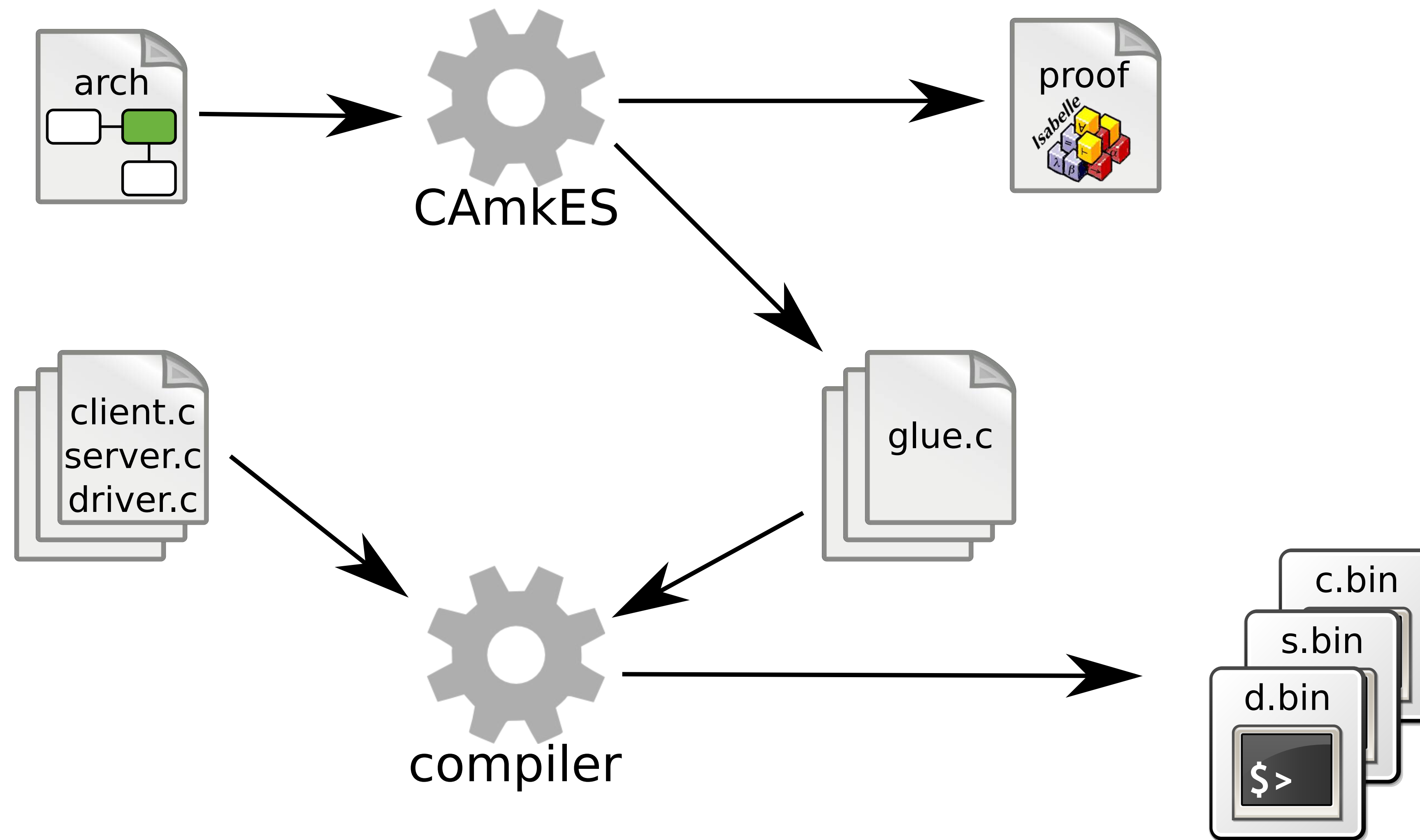
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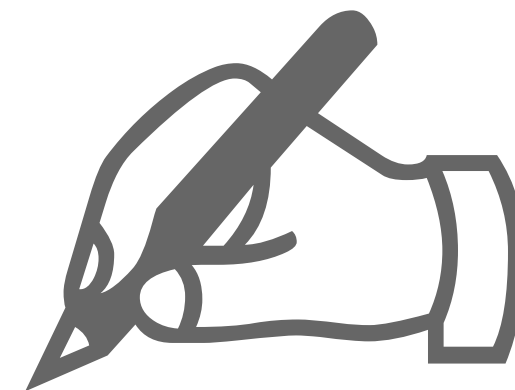


generated proofs for generated code

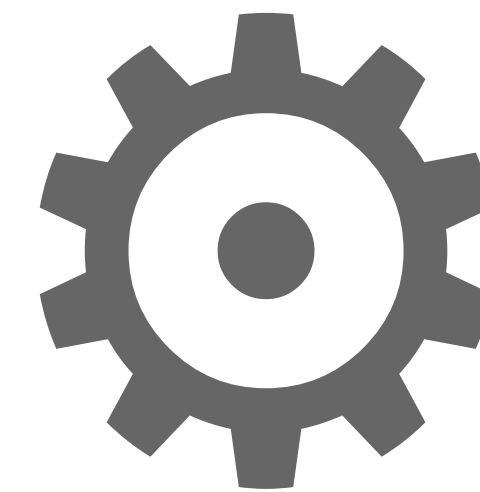
***What is
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***How do we
prove it?***



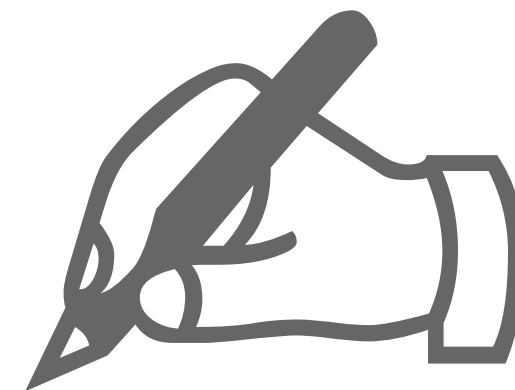
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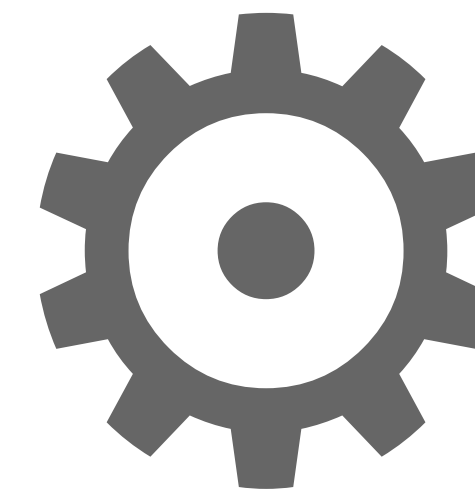
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Generated Code



client




server




client

```
void run() {  
  int x = 2;  
  int y = 3;  
  int z = c_max(x, y);  
  printf("max(%d, %d) = %d\n", x, y, z);  
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int s_max(int a, int b) {  
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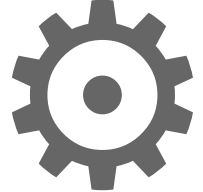


server

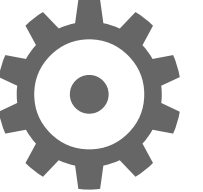
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  c_marshall(p, q);  
  seL4_Call(...);  
  int r = c_unmarshall();  
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```




```
void handle_rpc() {  
  seL4_Wait(...);  
  s_unmarshall(&i, &j);  
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  s_marshall(k);  
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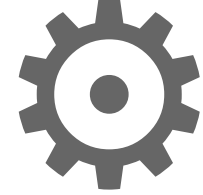


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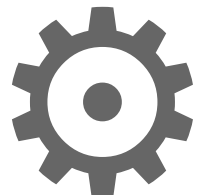


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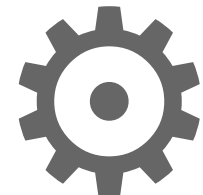
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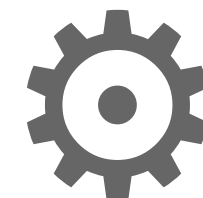


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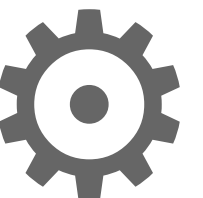
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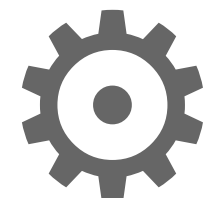


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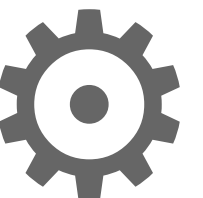
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server

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```



client

```
void run() {  
  int x = {P}  
  int y = {P}  
  int z = c_max(x, y);  
  printf("x = %d, y = %d, z = %d\n", x, y, z);  
}
```

```
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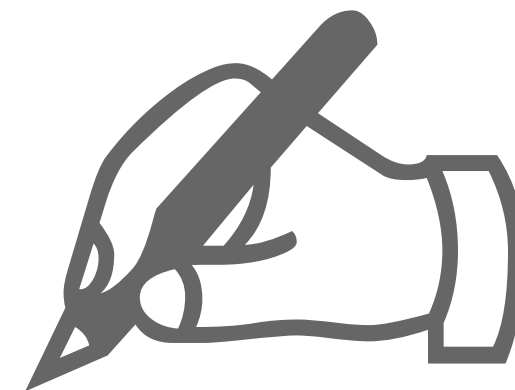


RPC invocation \cong local invocation

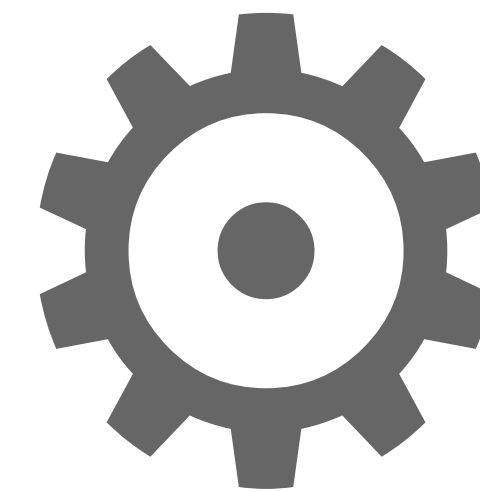
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Toolchain (prior work)



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Toolchain (prior work)



- **Isabelle/HOL** — LCF-style interactive theorem prover

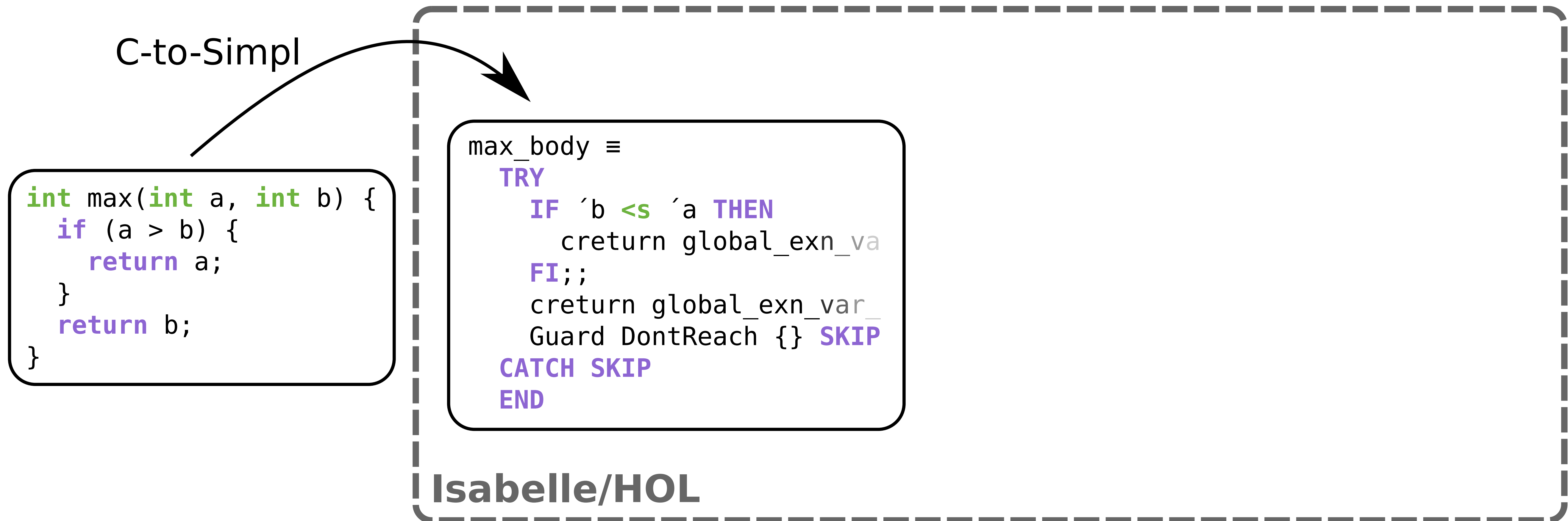
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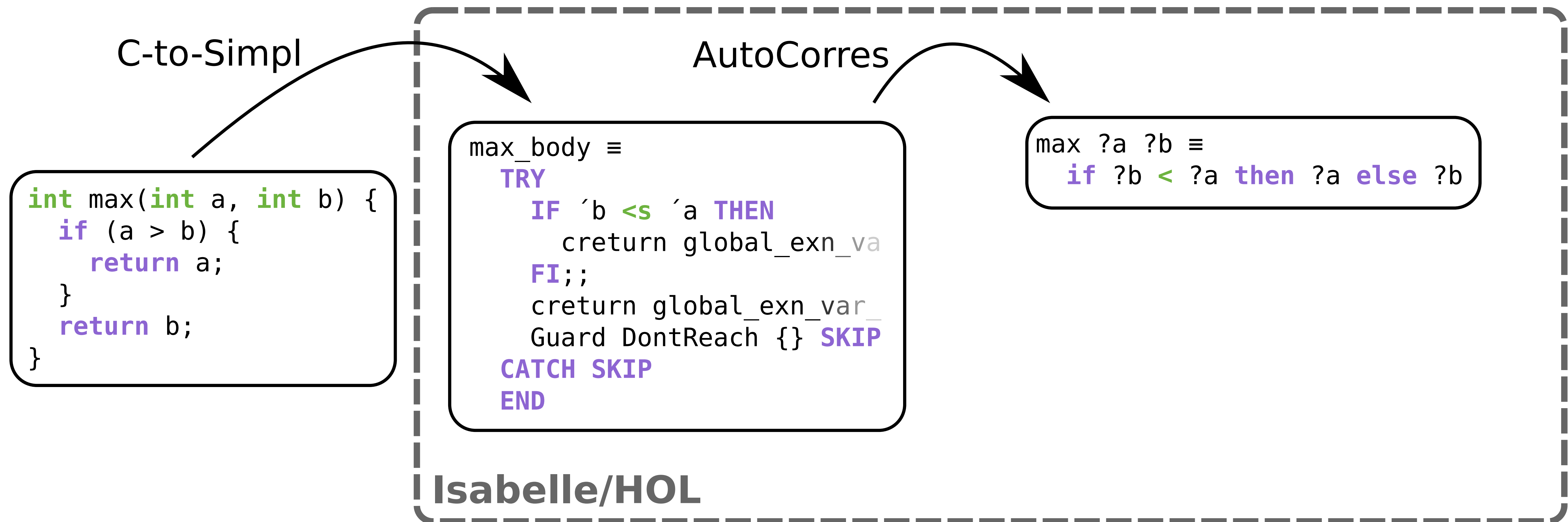
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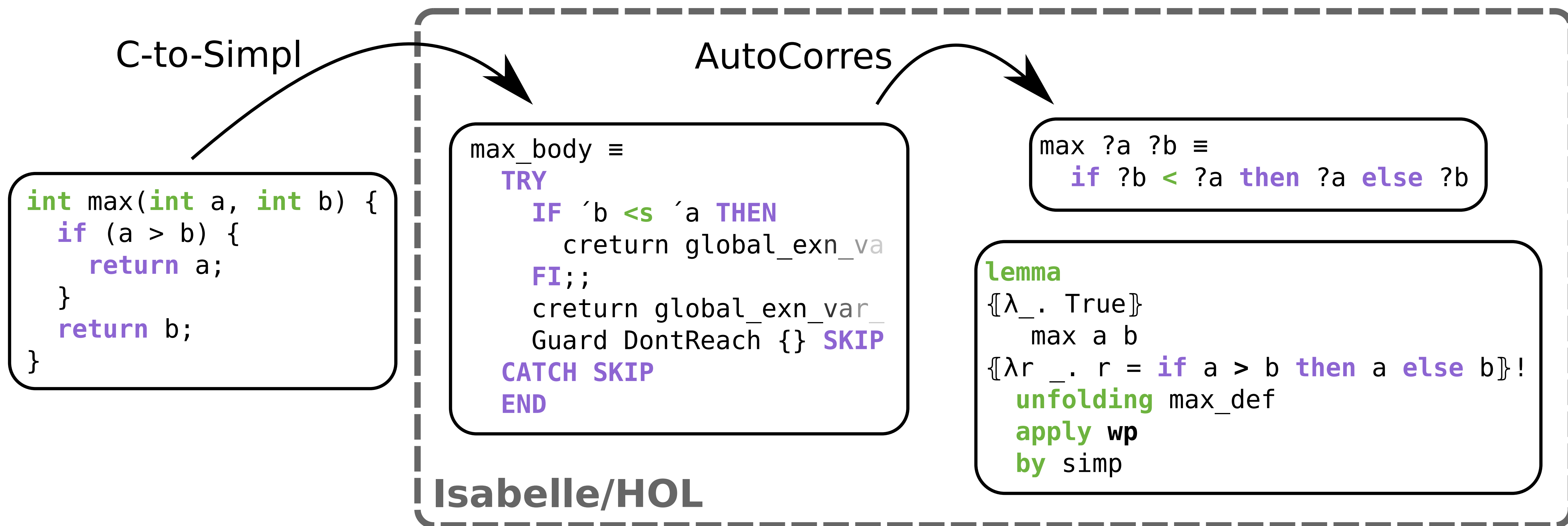
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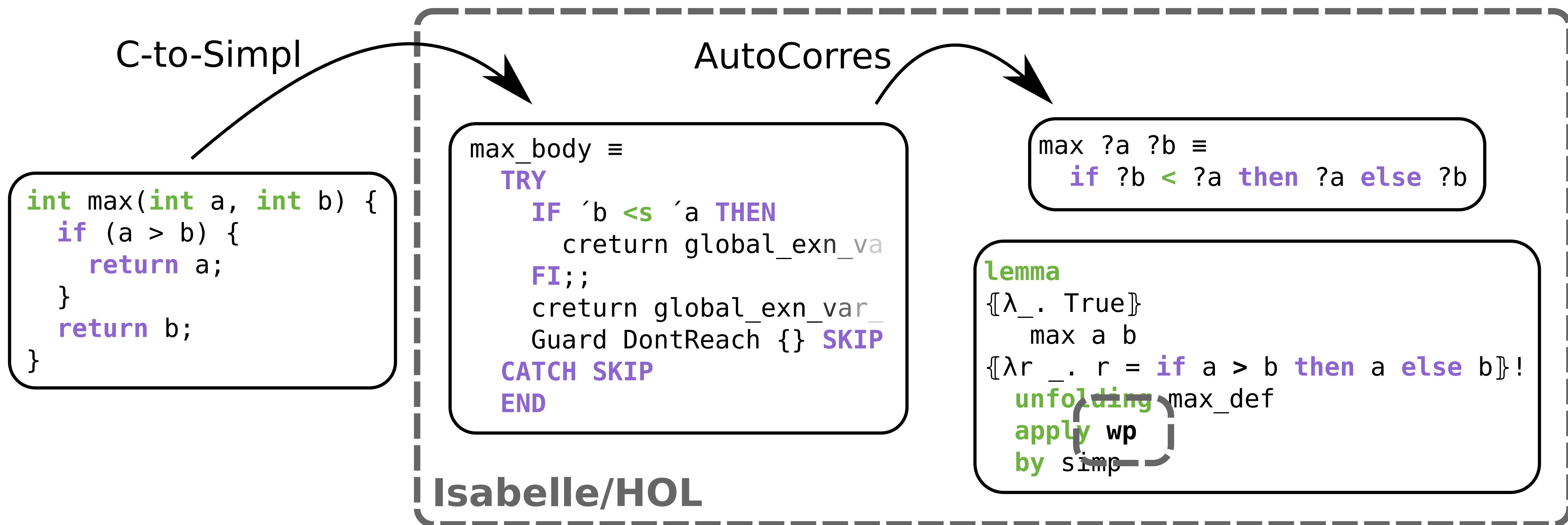
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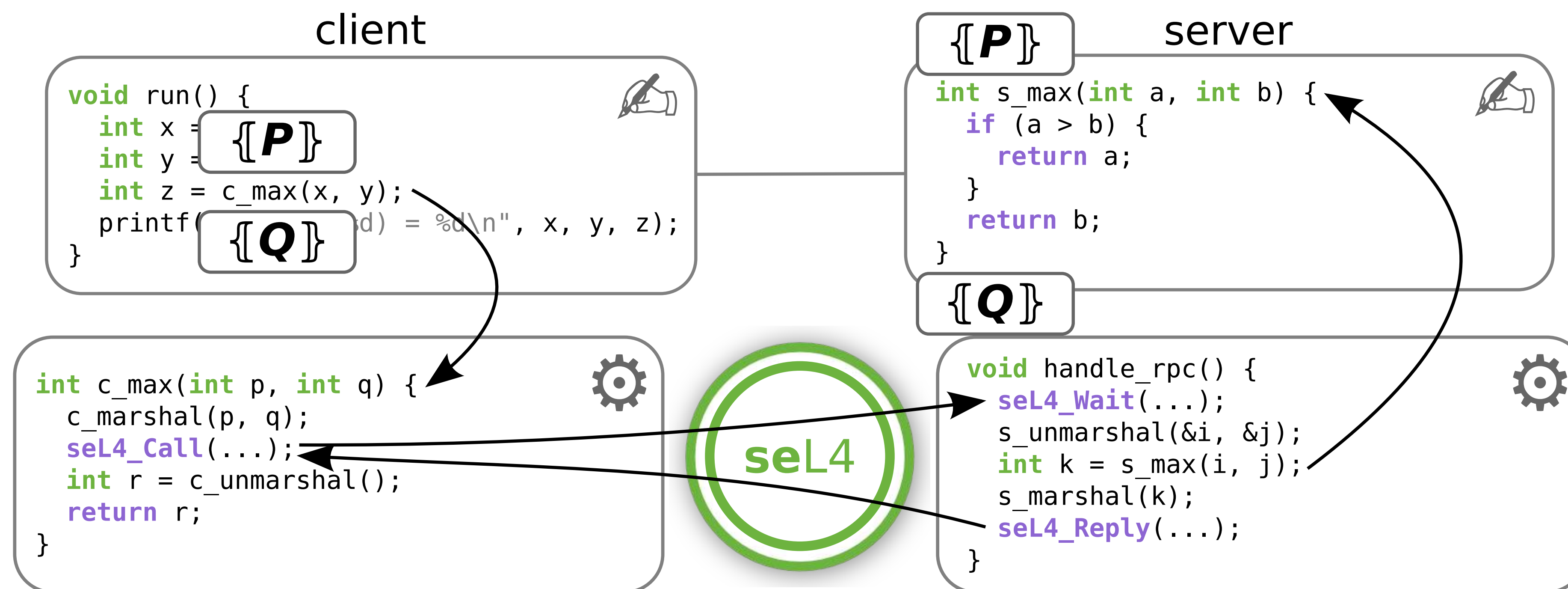
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- **AutoCorres** — Verified abstraction of Simpl
- **WP** — weakest-precondition reasoning for Hoare triples



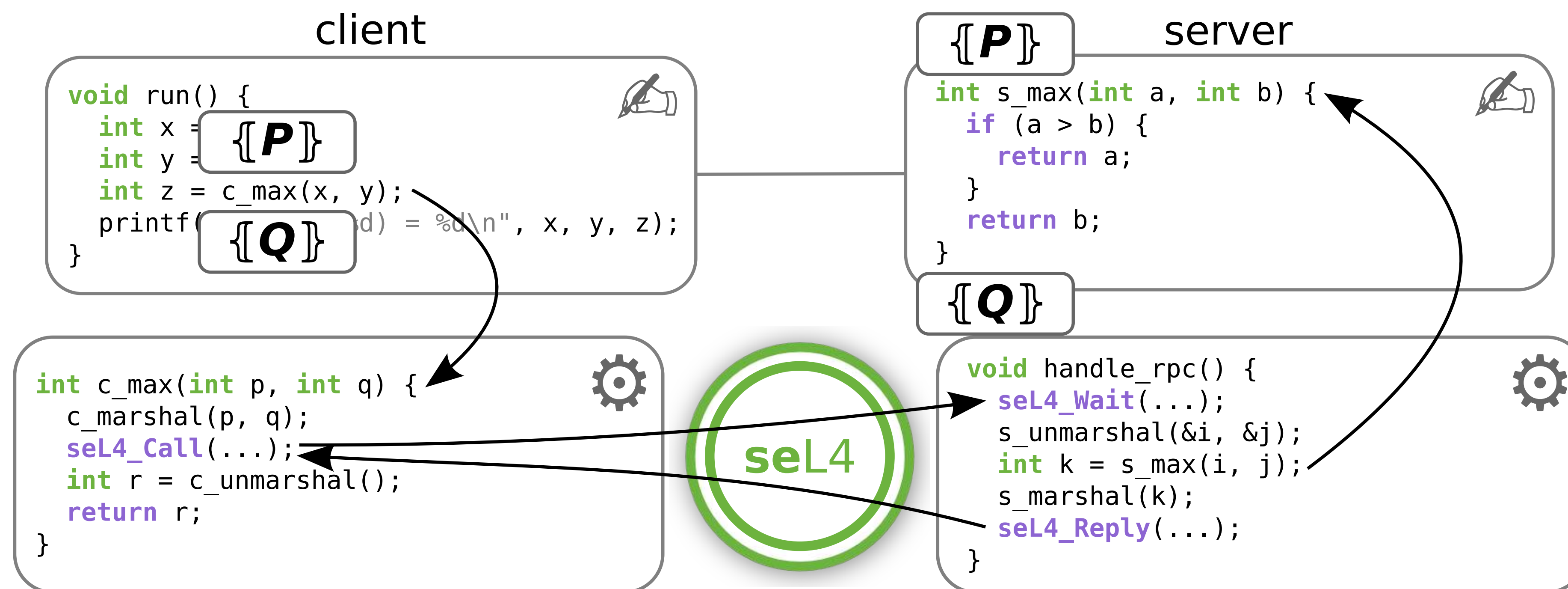
Verifying Generated Code



RPC invocation \cong local invocation

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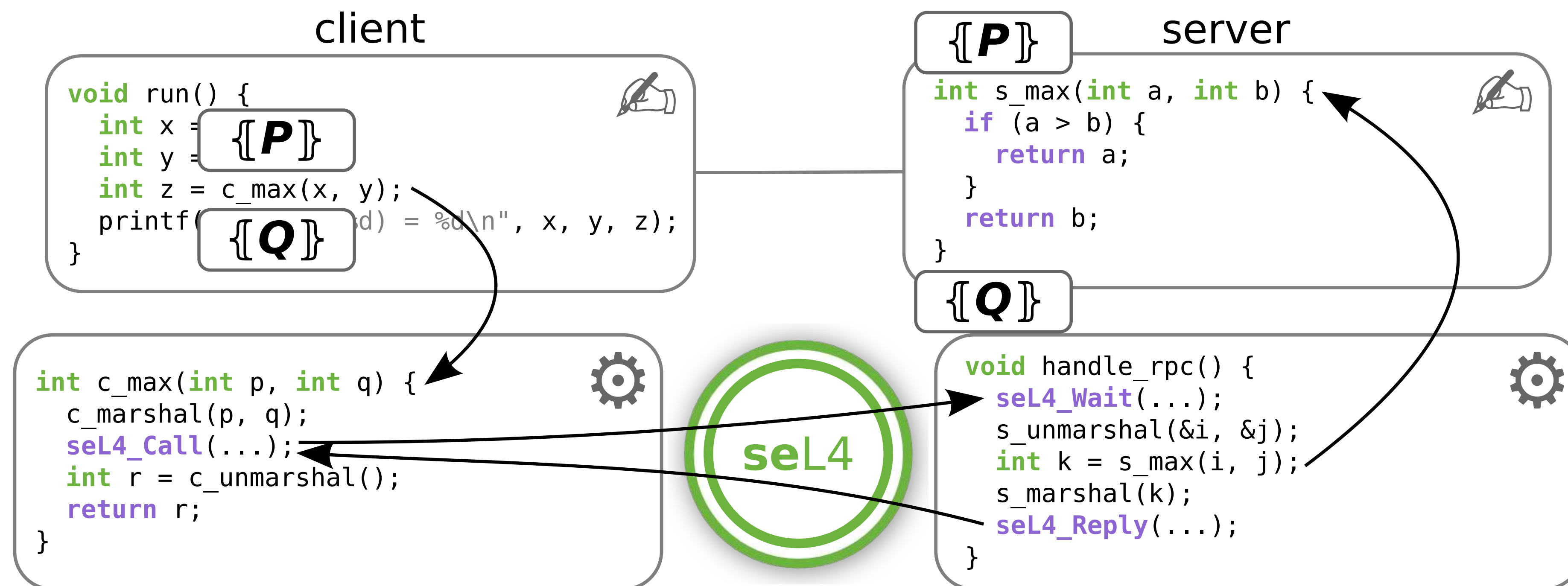
$$\{P\} s_max\ a\ b\ \{Q\}! \Rightarrow \{P\} c_max\ a\ b\ \{Q\}!$$



RPC invocation \cong local invocation

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$\{P\} s_max\ a\ b\ \{Q\}! \Rightarrow \{P\}$
 $\begin{array}{l} \text{do } c_marsh\ a\ b; \\ \text{seL4_Call } \dots; \\ \text{c_unmarshal } r\ \{Q\}! \\ \text{od} \end{array}$

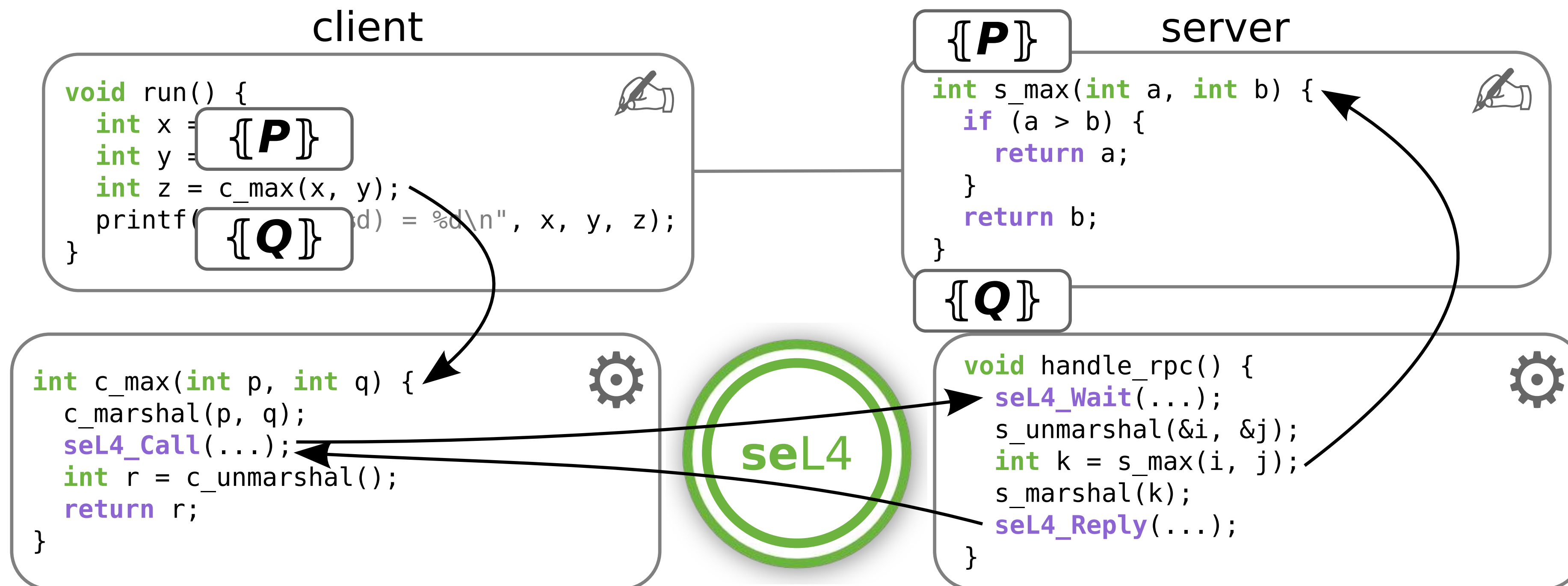


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Verifying Generated Code

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do $c_marshall\ a\ b;$
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 $r \leftarrow s_max\ a\ b;$ $\{Q\}!$
 $s_marshal\ r;$
 $c_unmarshal\ r$
od

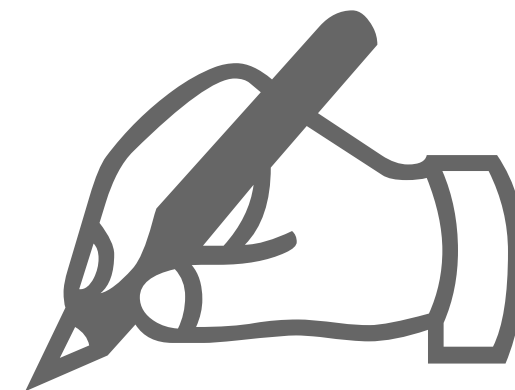


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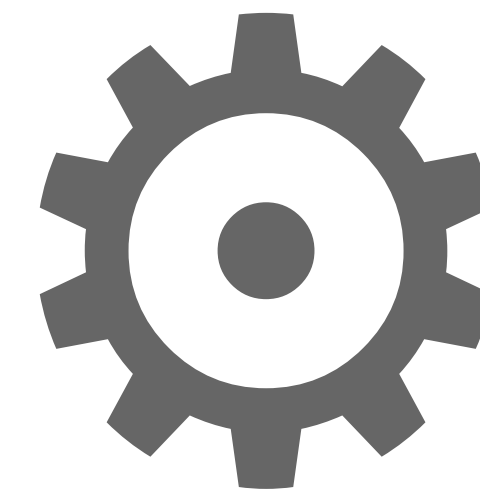
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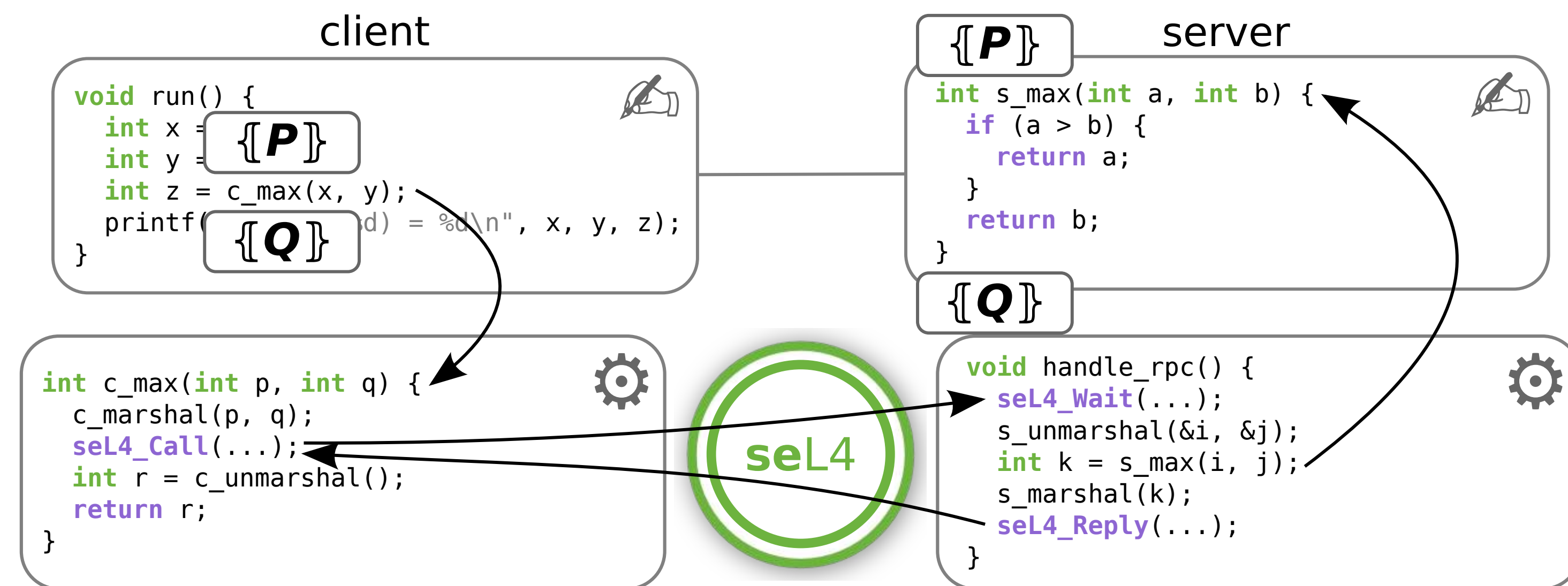
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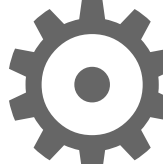


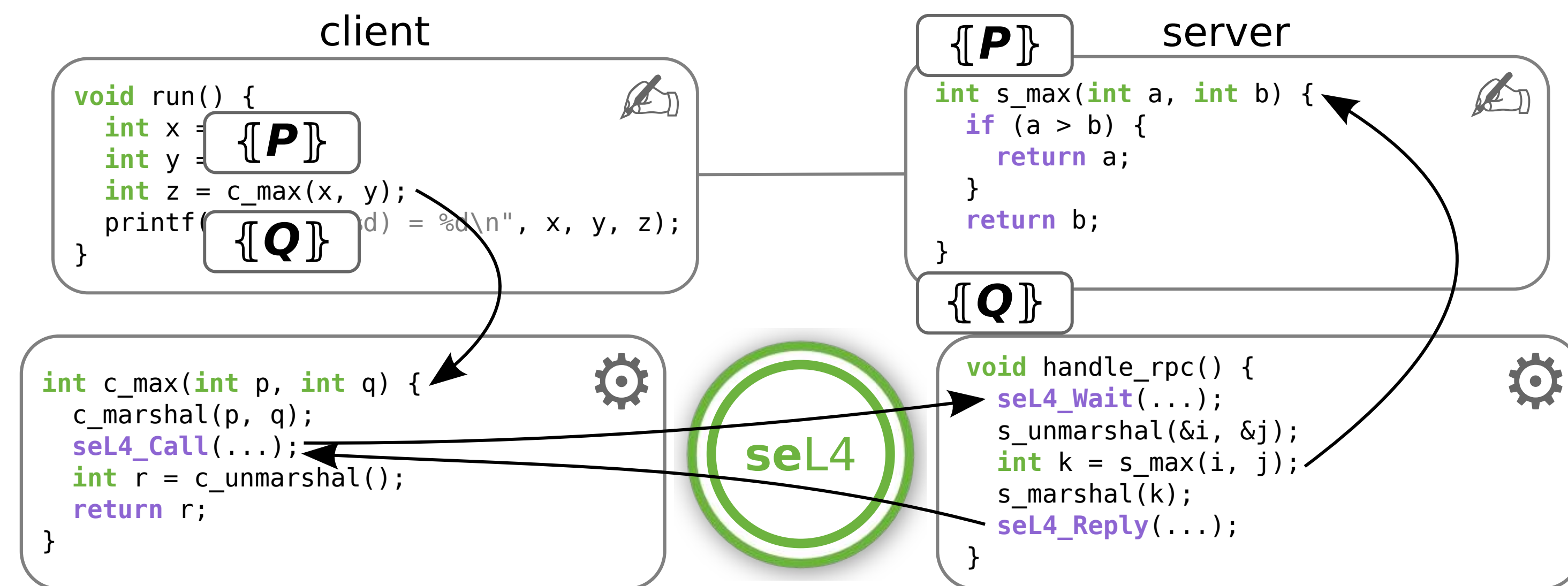
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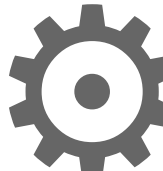


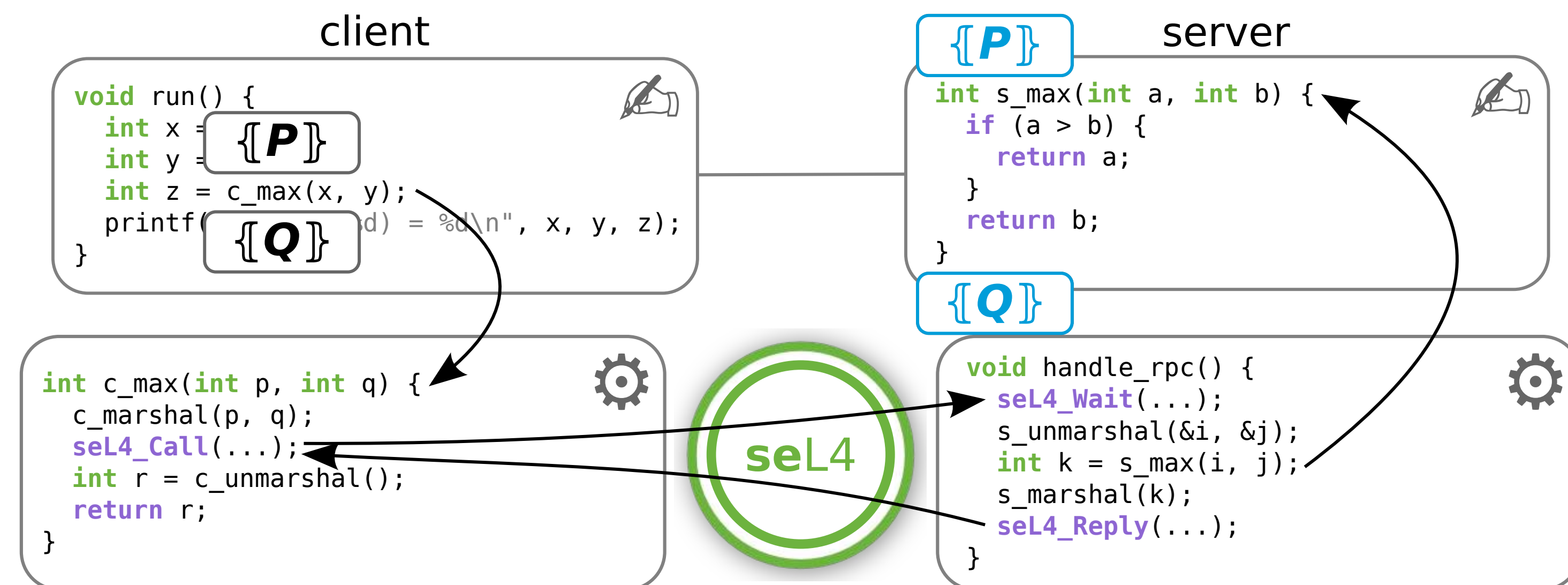
Generated Proofs



 **locale** rpcstubs_{max} =



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fixes $P_{max} :: lifted_globals \Rightarrow int \Rightarrow int \Rightarrow bool$
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assumes
 $\{\lambda s. \quad P_{max} \ s \ a \ b\}$
 $\quad s_max \ a \ b$
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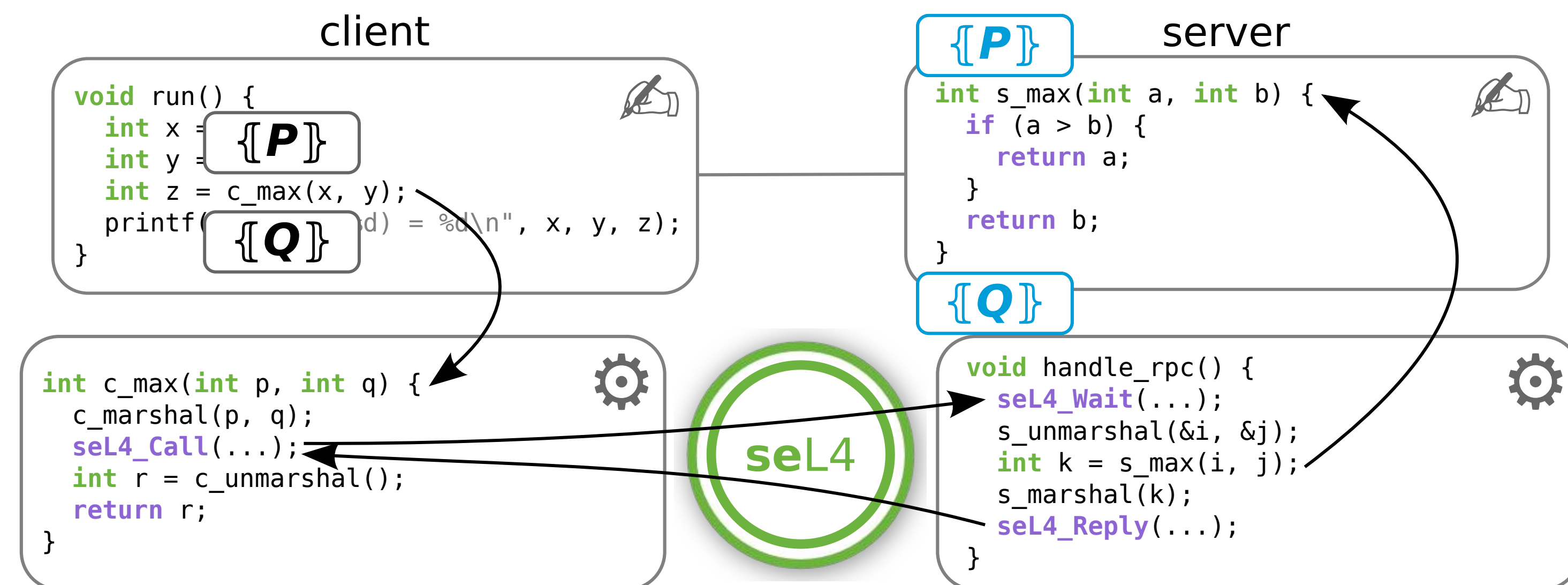
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$s_max\ a\ b$

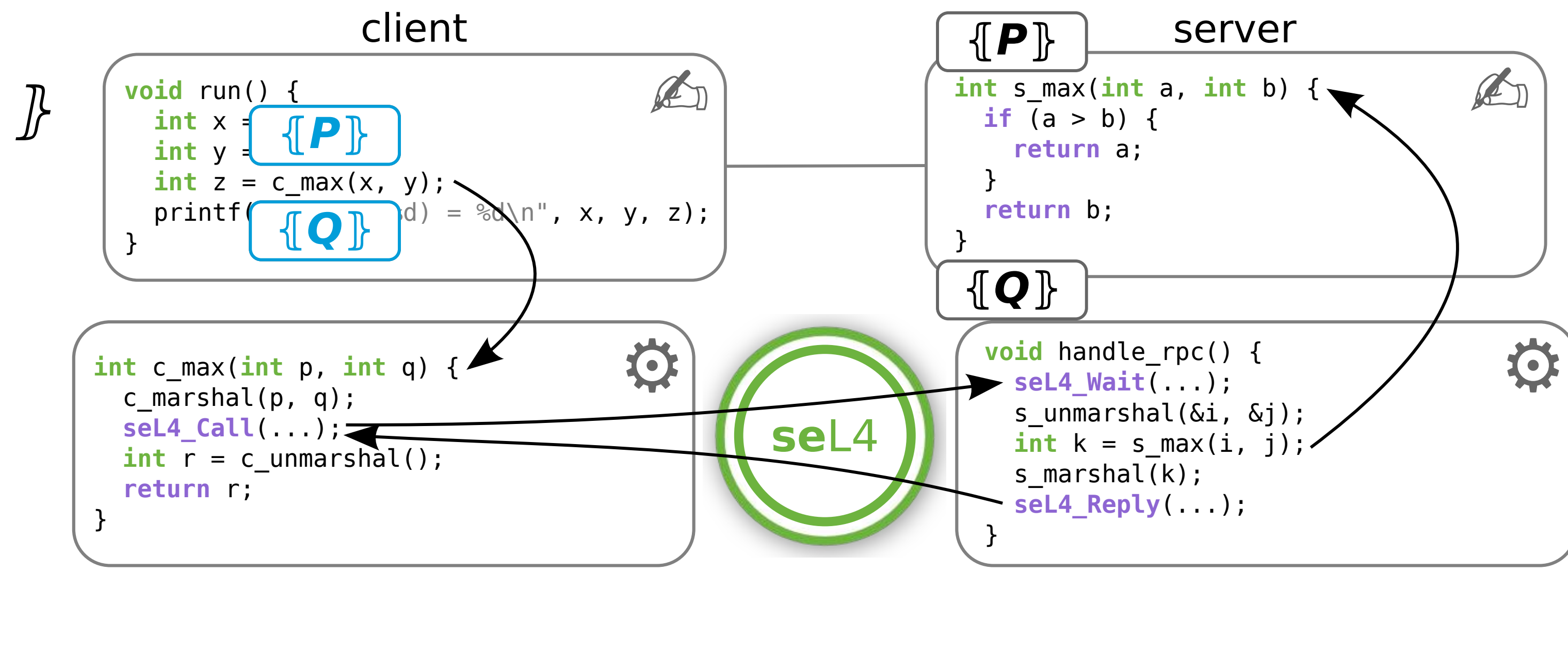
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theorem

{

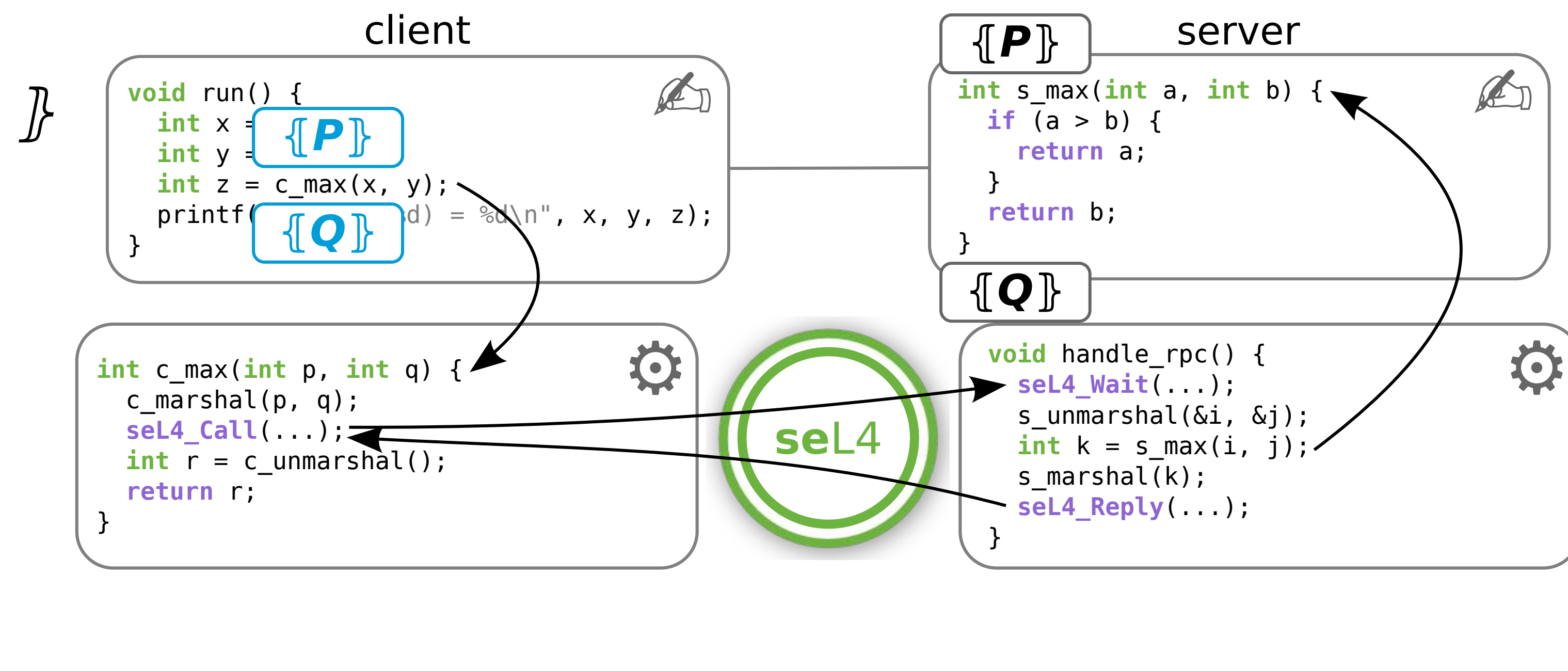


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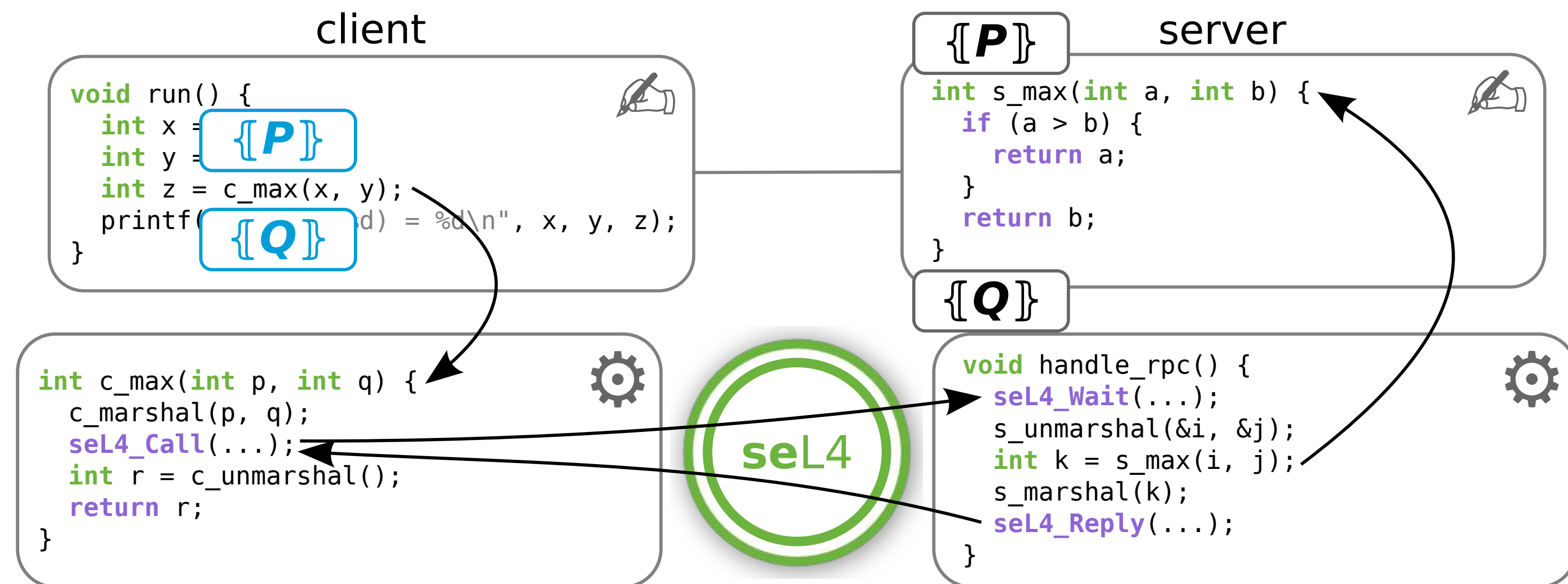
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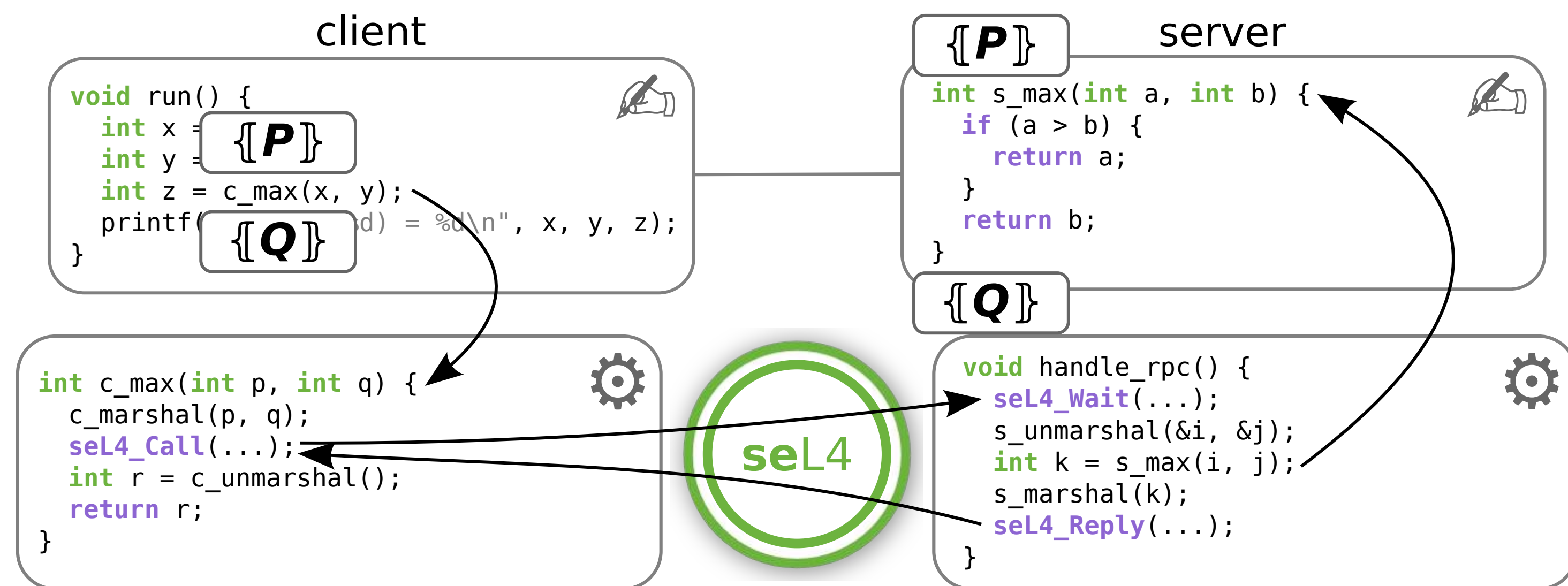
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fixes $P_{max} :: \text{lifted_globals} \Rightarrow \text{int} \Rightarrow \text{int} \Rightarrow \text{bool}$
fixes $Q_{max} :: \text{lifted_globals} \Rightarrow \text{lifted_globals} \Rightarrow \text{int} \Rightarrow \text{int} \Rightarrow \text{int} \Rightarrow \text{bool}$
assumes
 $\{\lambda s. s = s0 \wedge \text{inv } s \wedge P_{max} \ s \ a \ b\}$
 $s_max \ a \ b$
 $\{\lambda r \ s. \text{inv } s \wedge Q_{max} \ s0 \ s \ r \ a \ b\}!$

theorem
 $\{\lambda s. s = s0 \wedge \text{inv } s \wedge P_{max} \ s \ a \ b\}$
do $c_marshal \ a \ b;$
 $s_unmarshal \ a \ b;$
 $r \leftarrow s_max \ a \ b;$
 $s_marshal \ r;$
 $c_unmarshal \ r$
od
 $\{\lambda r \ s. \text{inv } s \wedge Q_{max} \ s0 \ s \ r \ a \ b\}!$

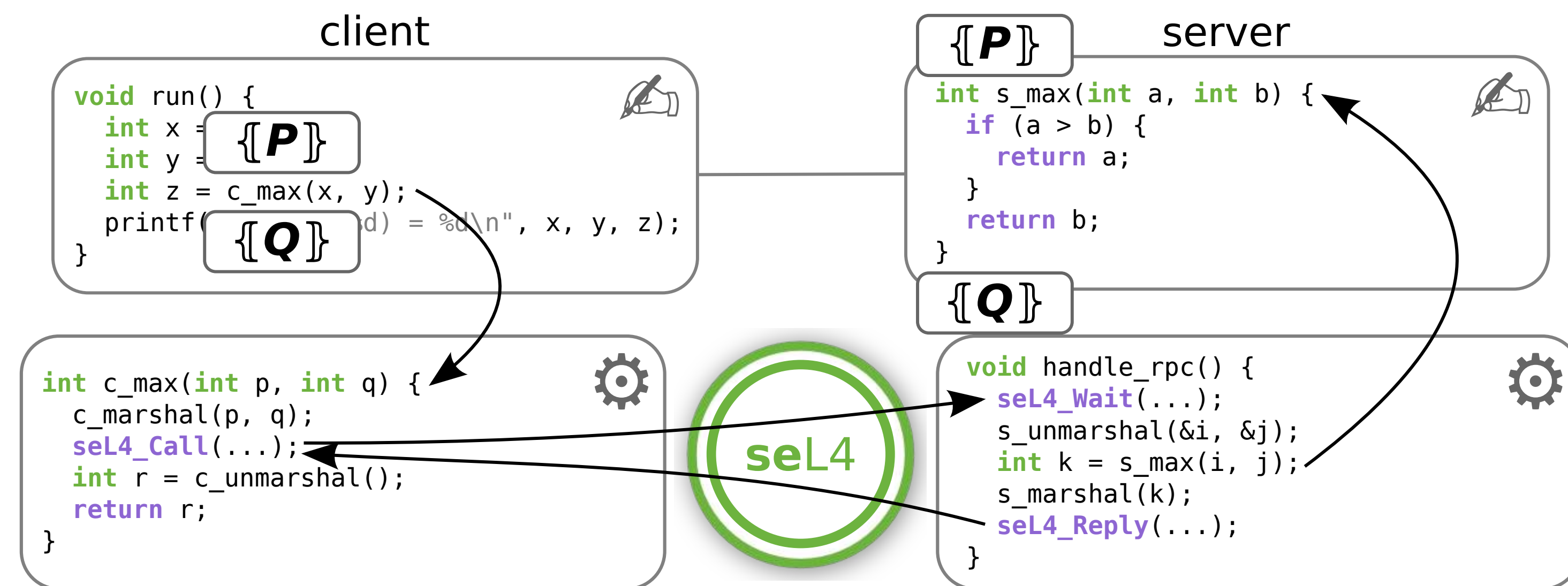


locale `rpcstubsmax` =
fixes $P_{max} :: lifted_globals \Rightarrow int \Rightarrow int \Rightarrow bool$
fixes $Q_{max} :: lifted_globals \Rightarrow lifted_globals \Rightarrow int \Rightarrow int \Rightarrow int \Rightarrow bool$
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 $\{\lambda r\ s. inv\ s \wedge Q_{max}\ s0\ s\ r\ a\ b\}!$
generated proof



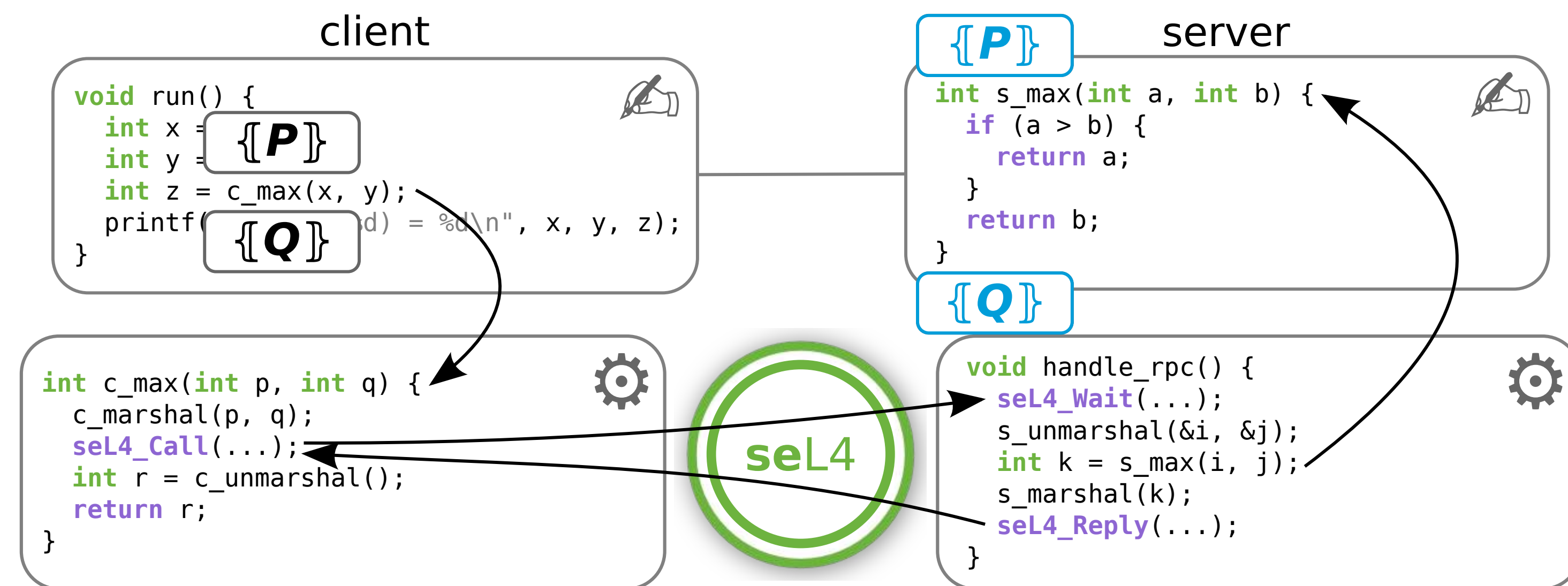
Composing Proofs



Composing Proofs

theorem

$\{\lambda_. True\}$
 $s_max\ a\ b$
 $\{\lambda r_. r = \text{if } a > b \text{ then } a \text{ else } b\}!$

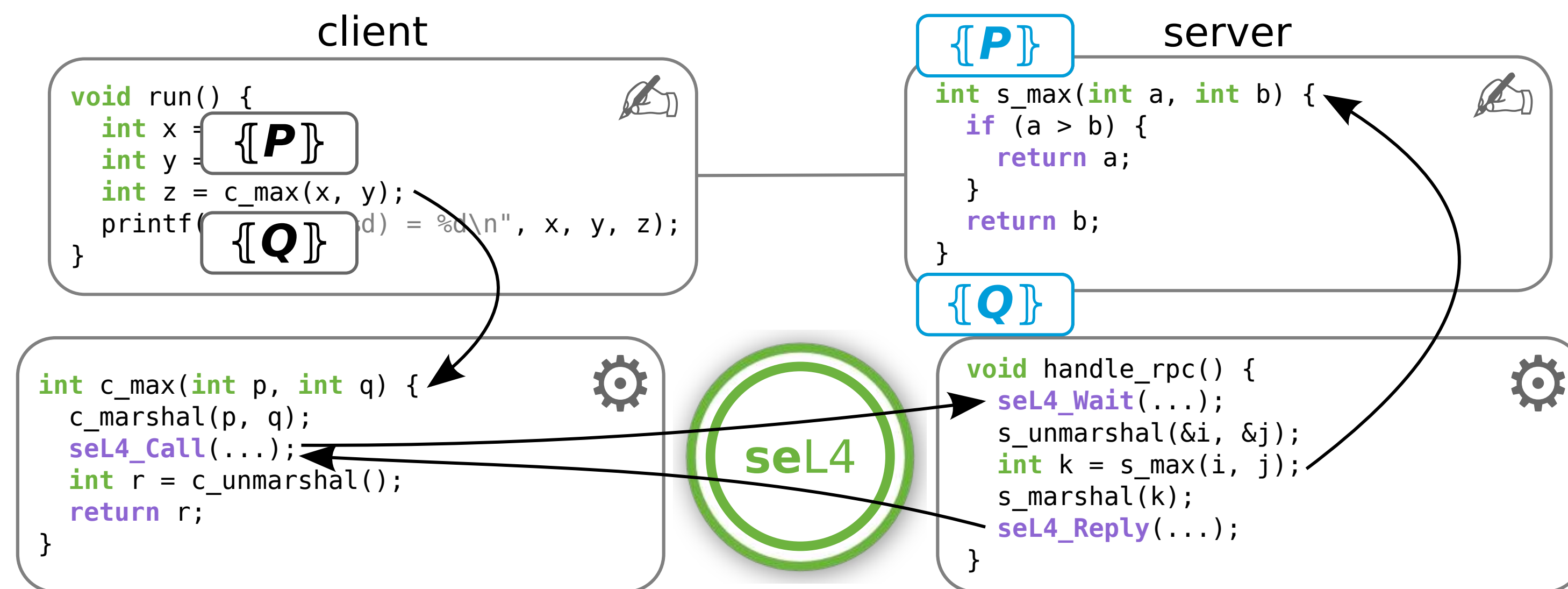


 **theorem**

$\{\lambda_. True\}$
 $s_max\ a\ b$
 $\{\lambda r_. r = \text{if } a > b \text{ then } a \text{ else } b\}!$

 **interpretation** $rpcstubs_{max}$

$\lambda_.. True$ -- P_{max}
 $\lambda_r\ a\ b. r = \text{if } a > b \text{ then } a \text{ else } b$ -- Q_{max}



 **theorem**

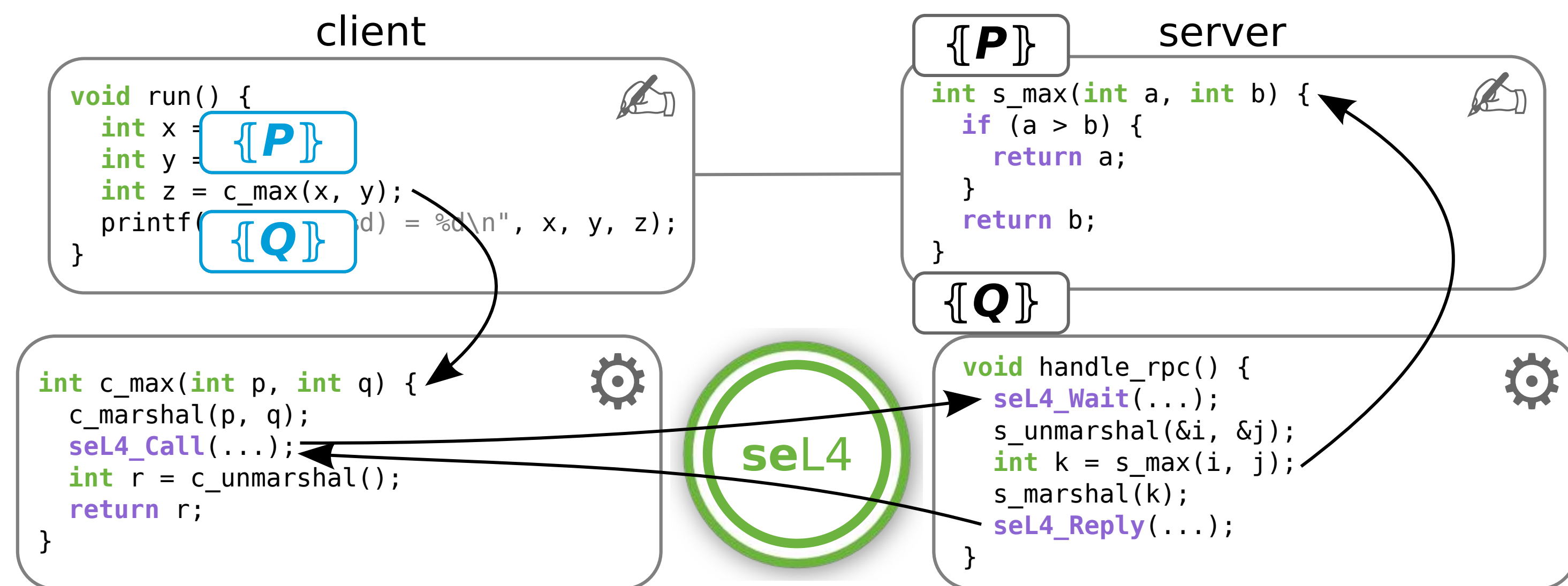
$\{\lambda_. True\}$
 $s_max\ a\ b$
 $\{\lambda r_. r = \text{if } a > b \text{ then } a \text{ else } b\}!$

 **interpretation** $rpcstubs_{max}$

$\lambda_.. True$ -- P_{max}
 $\lambda_r\ a\ b. r = \text{if } a > b \text{ then } a \text{ else } b$ -- Q_{max}

 **theorem**

$\{\lambda s. inv\ s\}$
do $c_marshal\ a\ b;$
 $s_unmarshal\ a\ b;$
 $r \leftarrow s_max\ a\ b;$
 $s_marshal\ r;$
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od
 $\{\lambda r\ s. inv\ s \wedge r = \text{if } a > b \text{ then } a \text{ else } b\}!$



 **theorem**

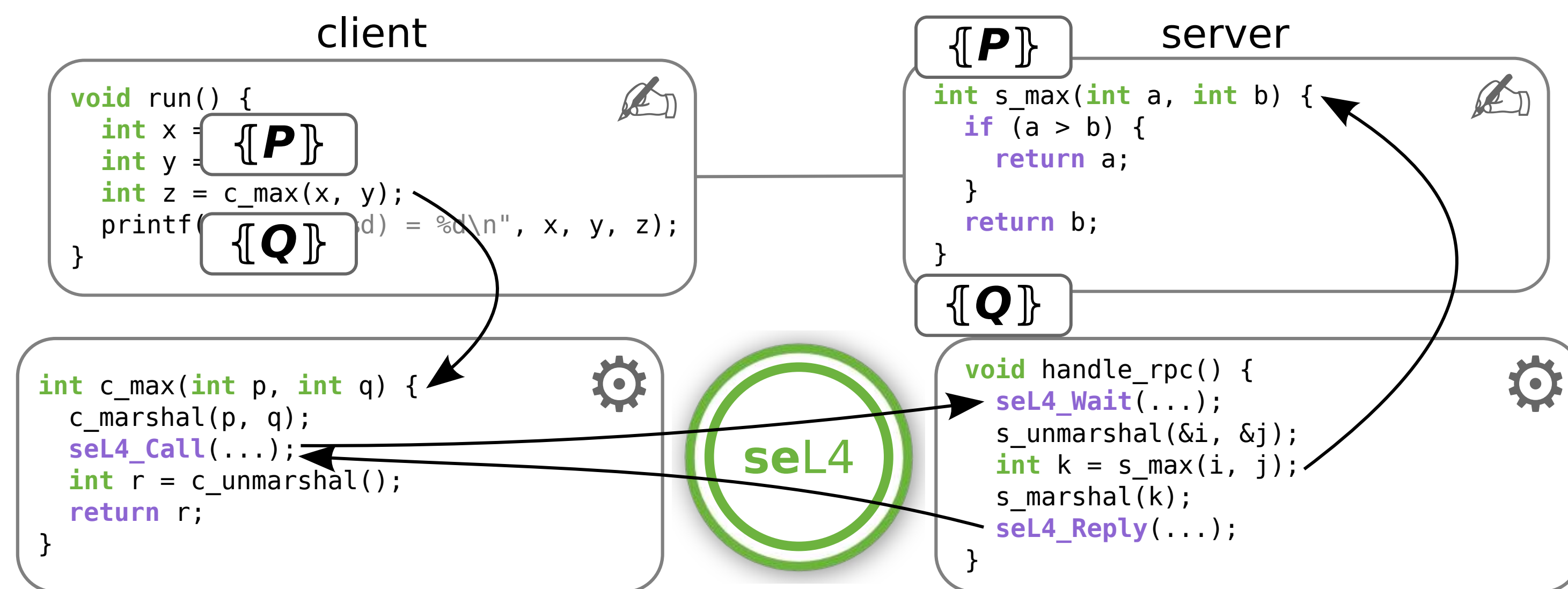
$\{\lambda_. True\}$
 $s_max\ a\ b$
 $\{\lambda r_. r = \text{if } a > b \text{ then } a \text{ else } b\}!$

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 **theorem**

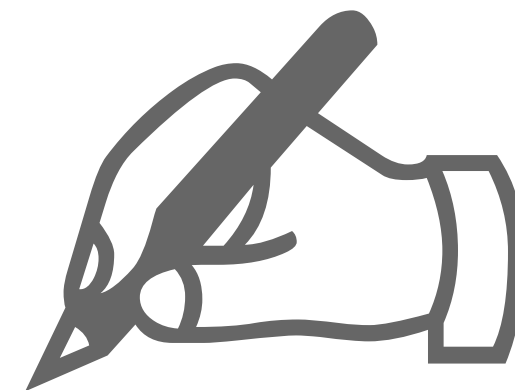
$\{\lambda s. inv\ s\}$
do $c_marshal\ a\ b;$
 $s_unmarshal\ a\ b;$
 $r \leftarrow s_max\ a\ b;$
 $s_marshal\ r;$
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od
 $\{\lambda r\ s. inv\ s \wedge r = \text{if } a > b \text{ then } a \text{ else } b\}!$



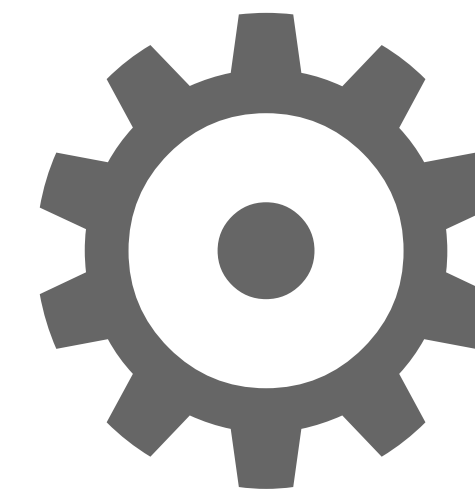
***What is
correctness?***



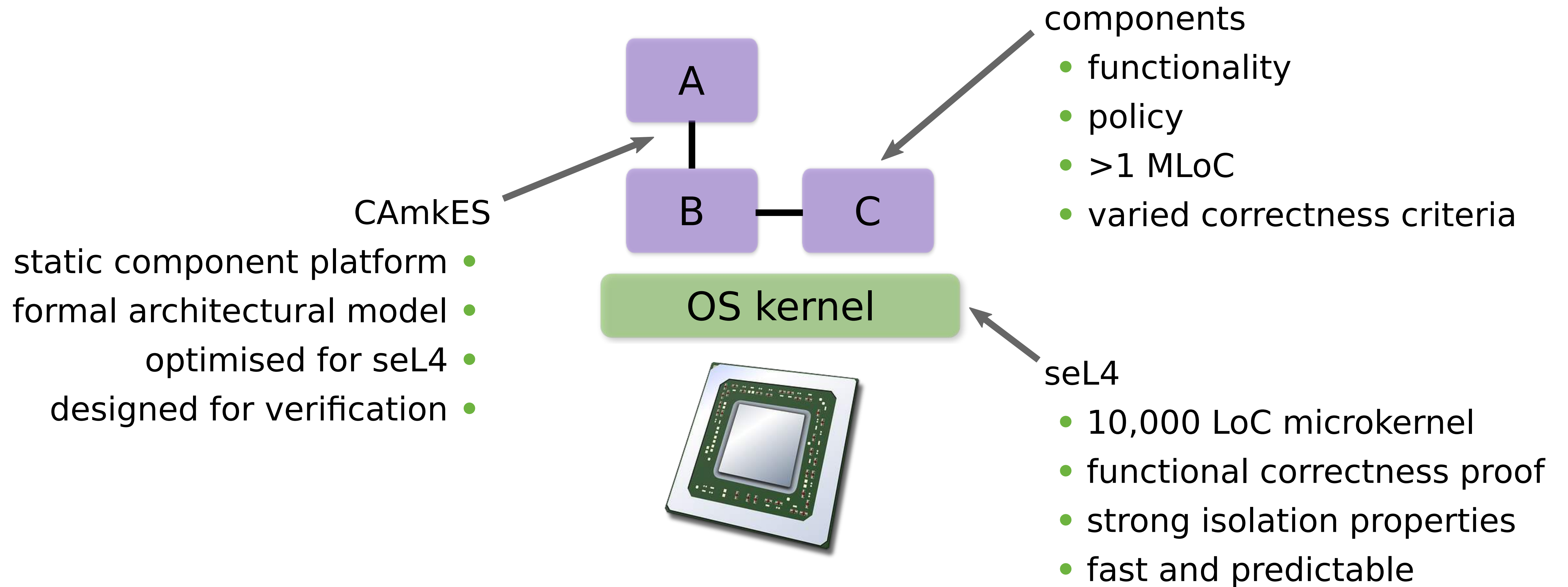
***How do we
prove it?***



***How do we
automate it?***

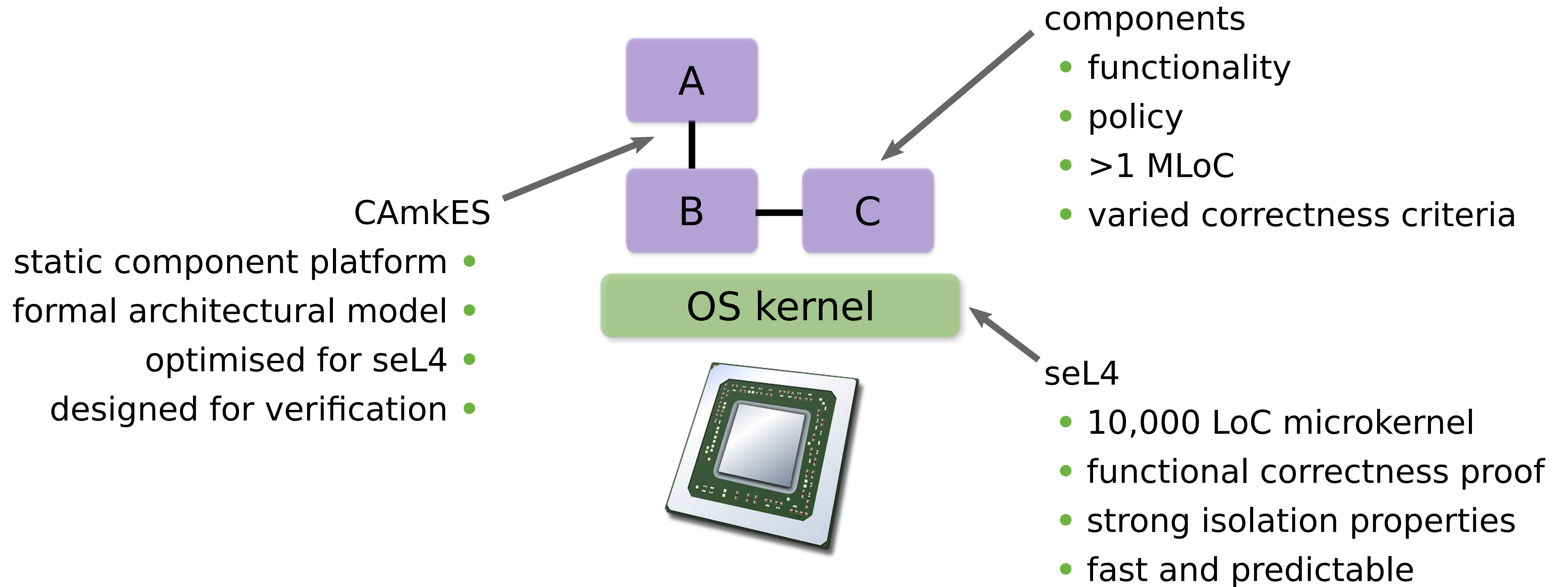


Generated Proofs for Generated Code



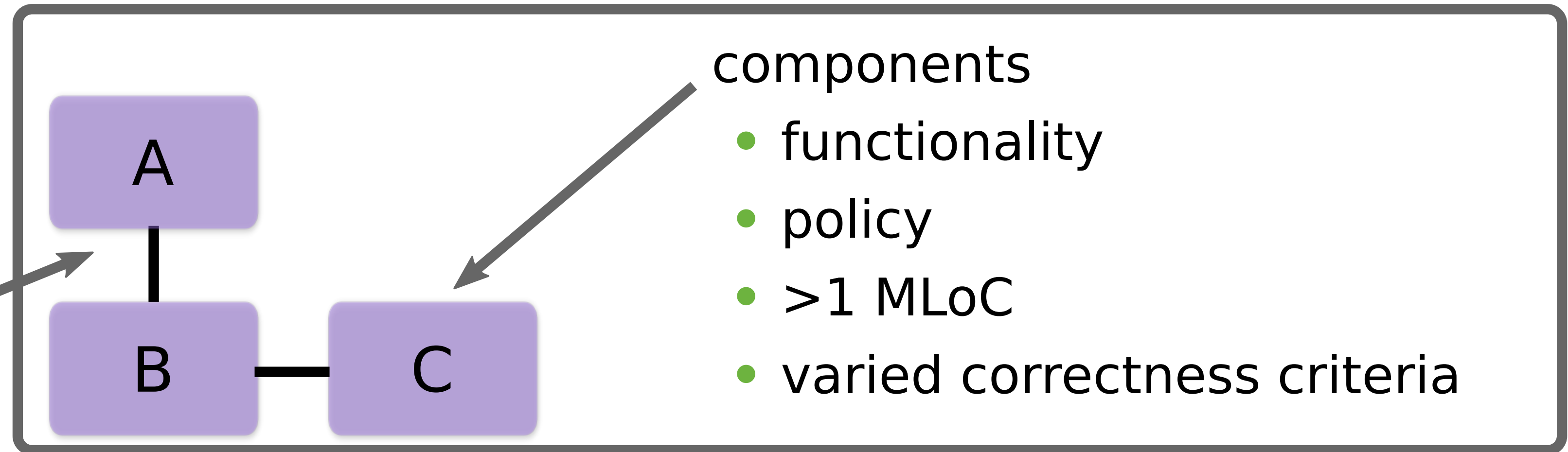
Generated Proofs for Generated Code

proof obligations



Generated Proofs for Generated Code

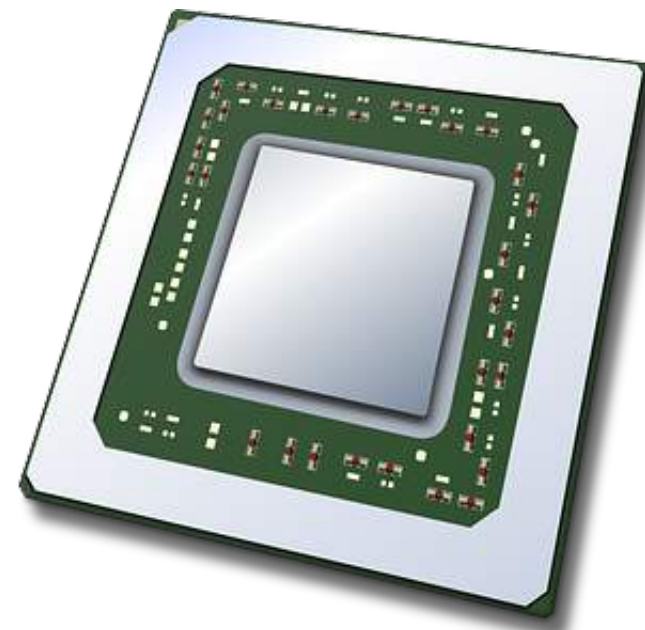
proof obligations



CAmkES

- static component platform
- formal architectural model
- optimised for seL4
- designed for verification

OS kernel



seL4

- 10,000 LoC microkernel
- functional correctness proof
- strong isolation properties
- fast and predictable